

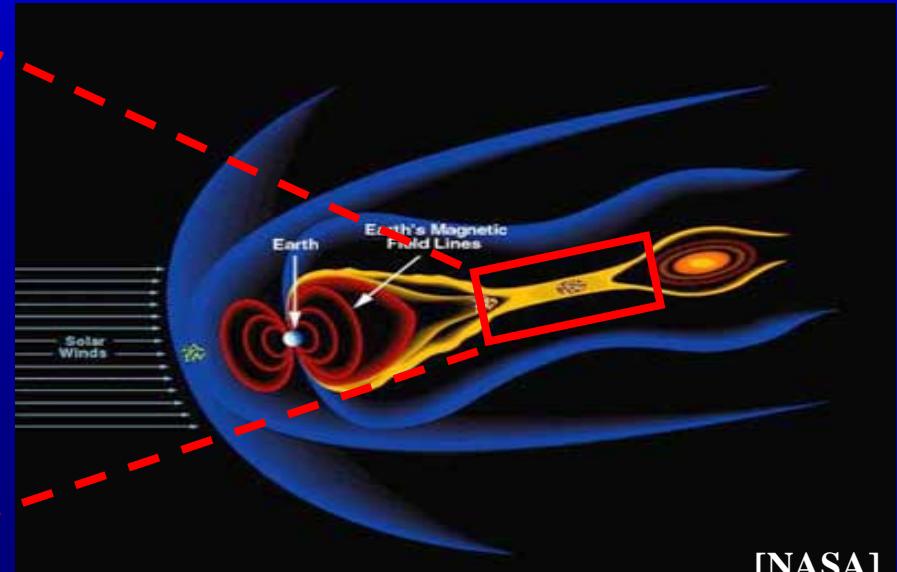
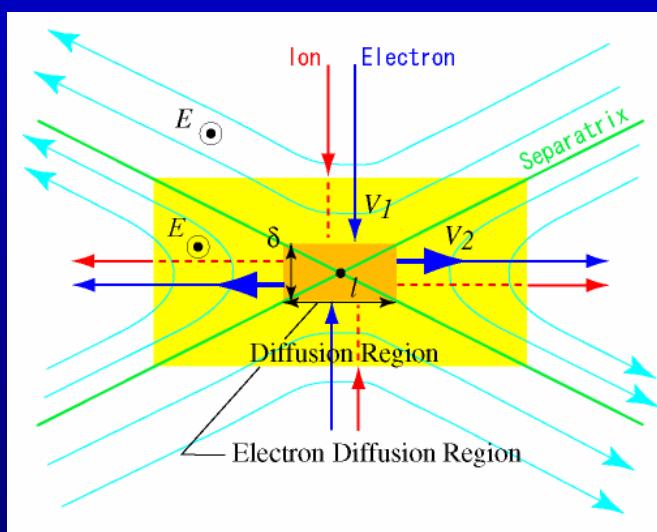
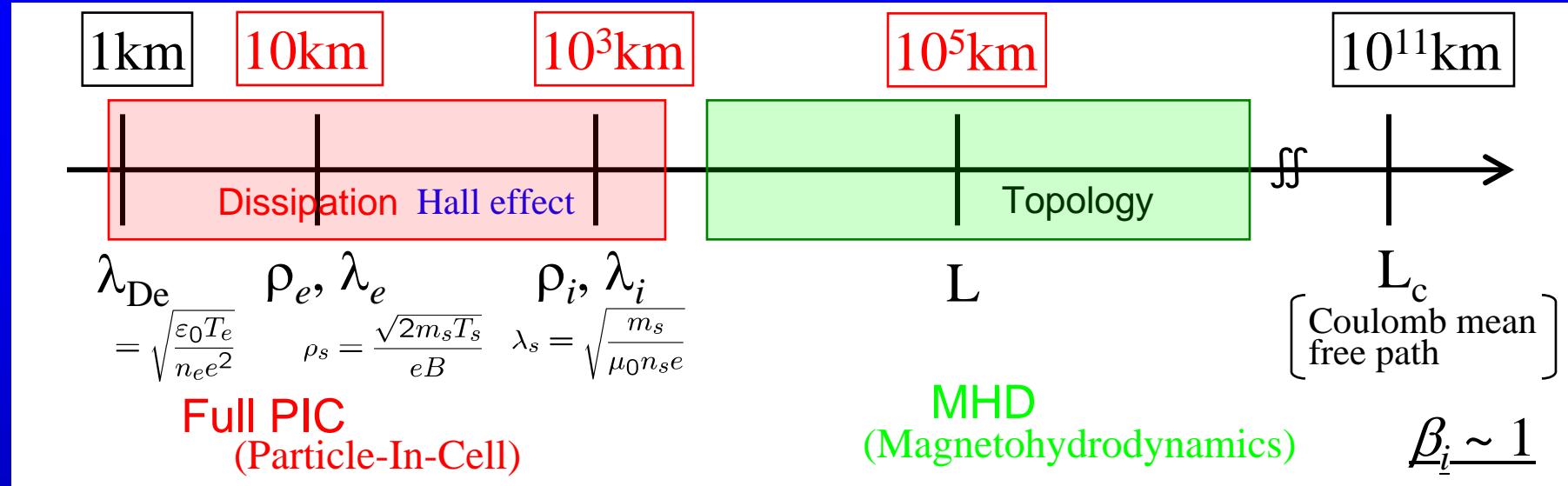
高速磁気リコネクションにおける プラズモイド誘導乱流

藤本桂三

国立天文台理論研究部

In collaboration with Richard Sydora (Univ Alberta)

Multi-Scale Nature of Reconnection



[NASA]

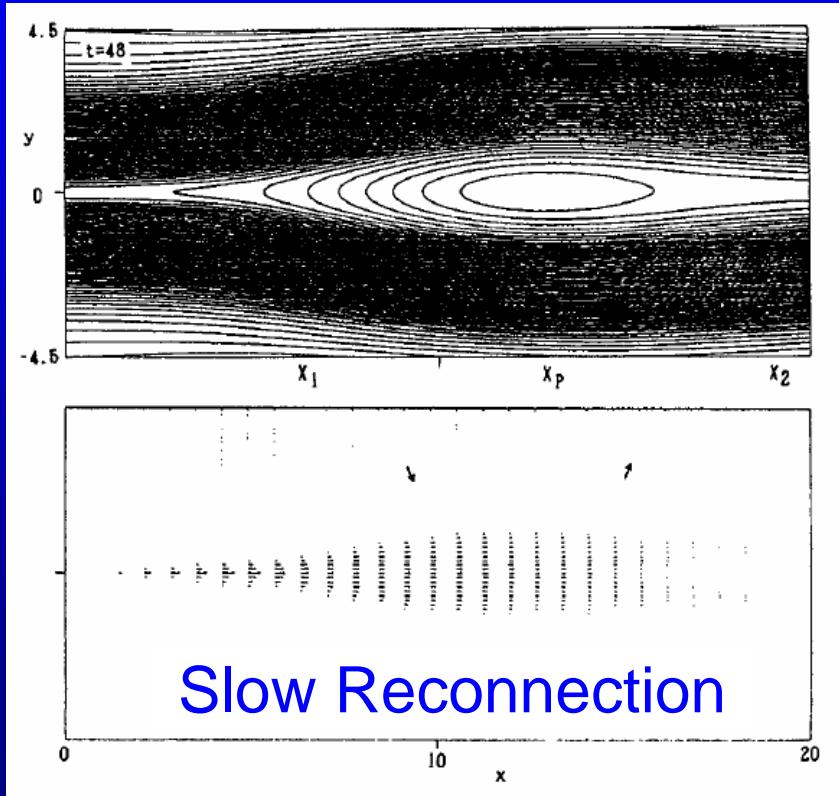
Impact of Dissipation Mechanism

Ugai, PoP, 1995

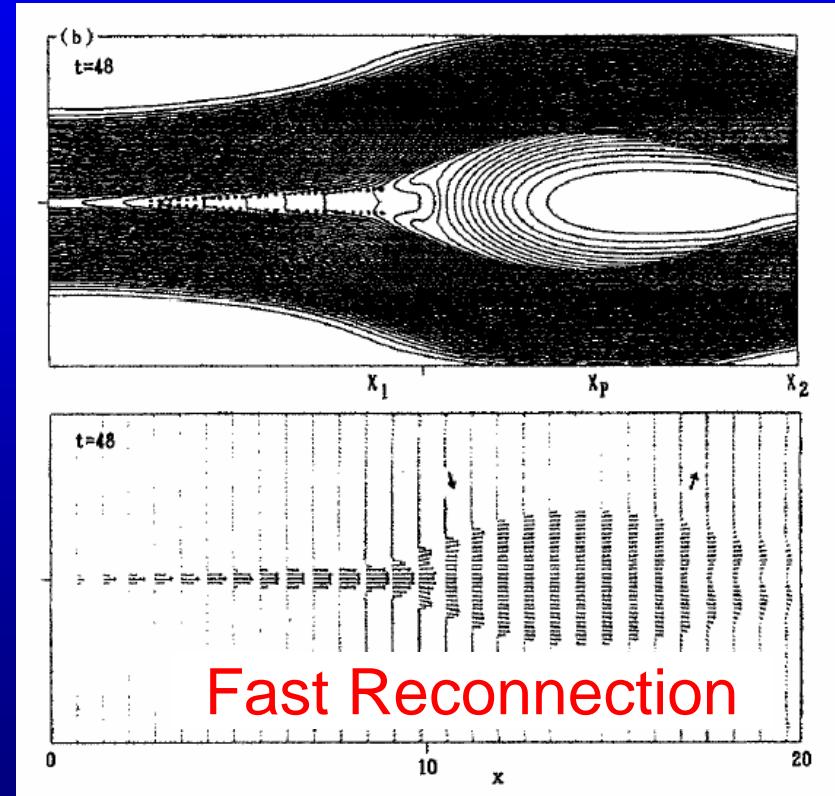
MHD simulations

$$\frac{\partial B}{\partial t} = \eta \nabla^2 B / \mu_0$$

Uniform η

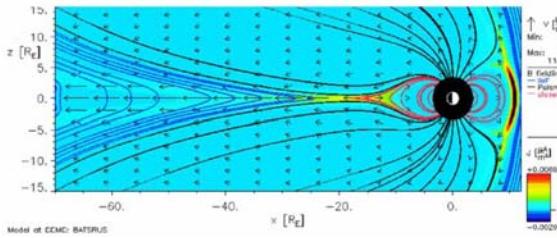


Localized η



$$\frac{\partial B}{\partial t} = \eta \nabla^2 B / \mu_0$$

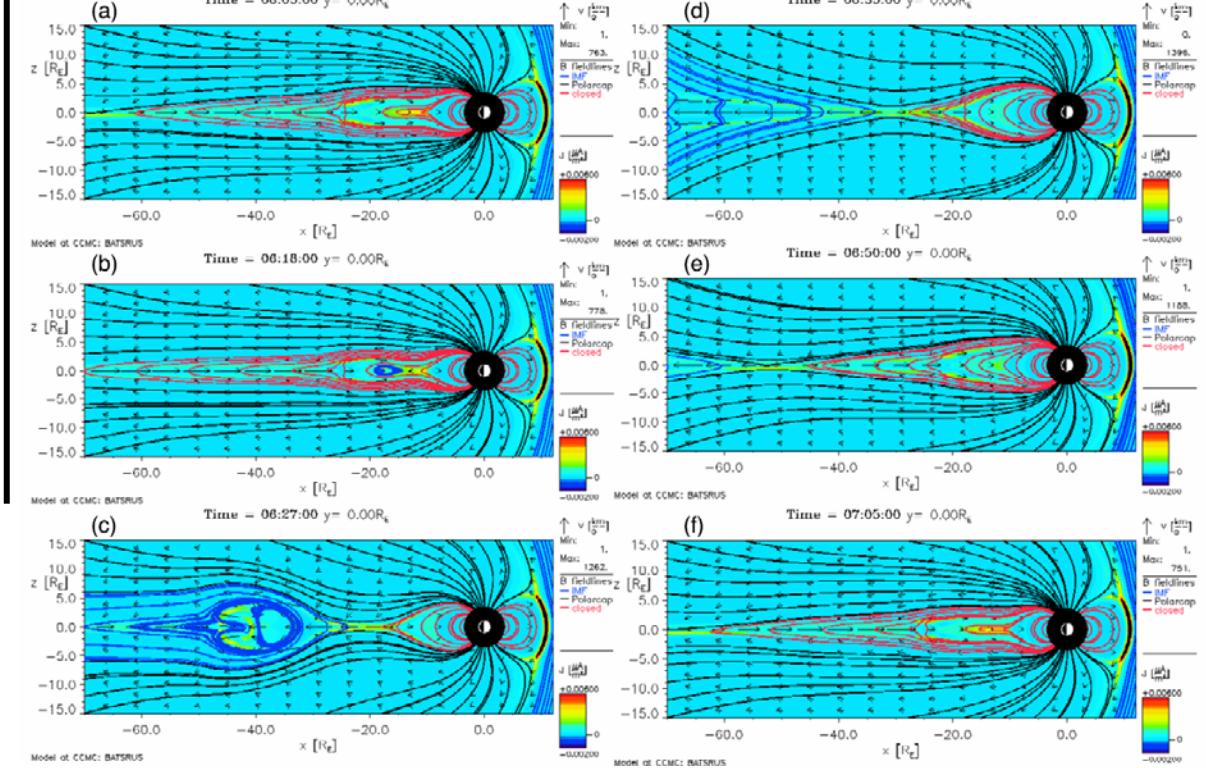
Numerical resistivity only



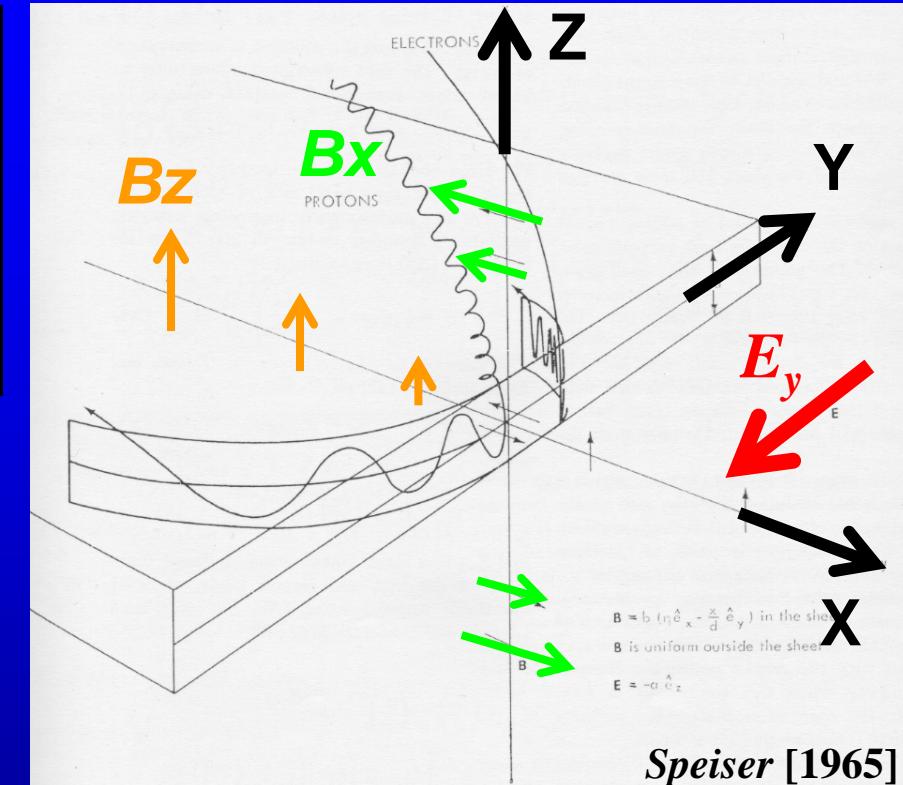
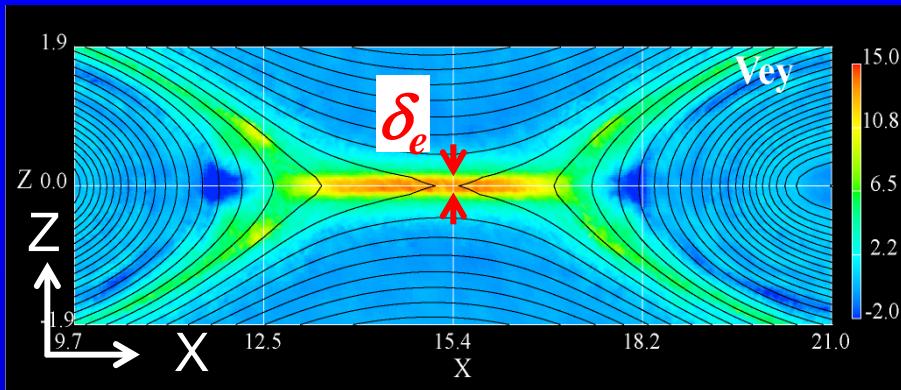
- Slow reconnection
- Quasi-steady configuration

- Fast reconnection
- Quasi-periodic process

Nongyrotropic correction case



Dissipation in 2D Kinetic Reconnection



PIC simulations

$$\frac{-E_y \approx \frac{1}{ne} (\nabla \cdot P_e)_y \text{ at x-line}}{\text{Electron viscosity}}$$

[Cai & Lee, 1997; Hesse et al., 1999]

$$\frac{-\frac{1}{n_{ee}} \nabla \cdot P_e \approx E_y \left[1 - \frac{5}{2} \left(\frac{z}{\delta_e} \right)^2 \right] = E_y}{\text{Fluid} \qquad \qquad \qquad \text{Particle}}$$

[Fujimoto & Sydora, PoP, 2009]

Inertia resistivity

$$\eta_{in} = \frac{m_e}{n_{ee} e^2} \frac{1}{\tau_{tr}}$$

τ_{tr} : Transit time through the diffusion region

Inertia Resistivity & Current Sheet Width

X-line

$$E_{y,xline} = \eta_{in} j_y$$

$$\eta_{in} = \frac{m_e}{n_e e^2} \frac{1}{\tau_{tr}} \approx \frac{m_e}{n_e e^2} \frac{V_{inflow}}{\delta_e}$$

$$j_y \approx -\frac{1}{\mu_0} \frac{B_{inflow}}{\delta_e}$$

Inflow region

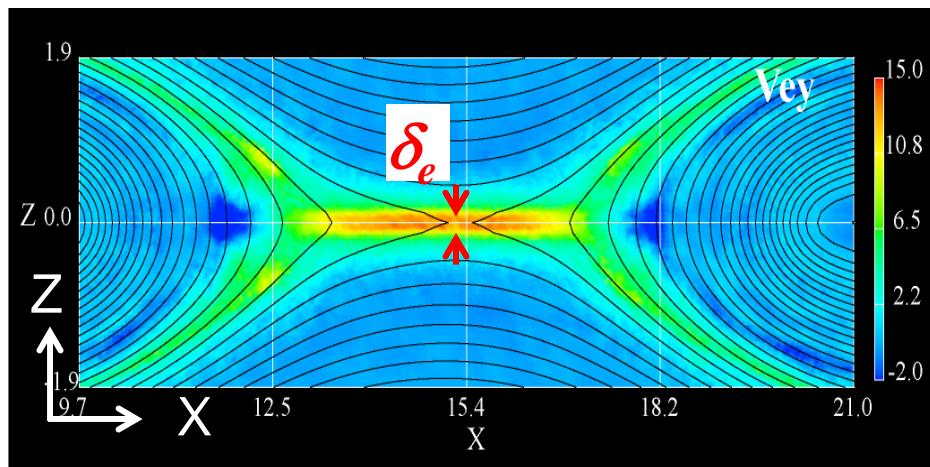
$$E_{y,inflow} = -V_{inflow} B_{inflow}$$

$$\underline{E_{y,xline} = E_{y,inflow}}$$

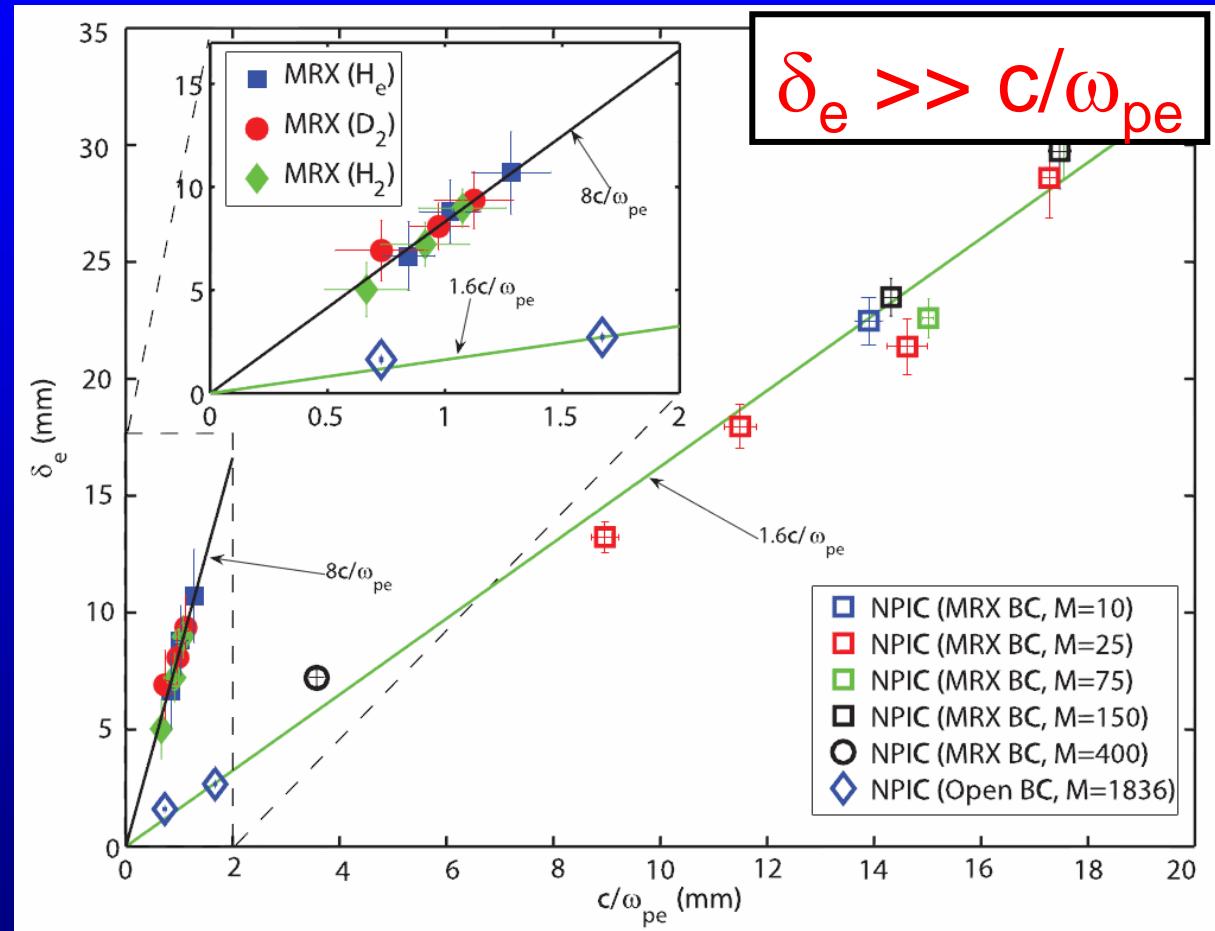
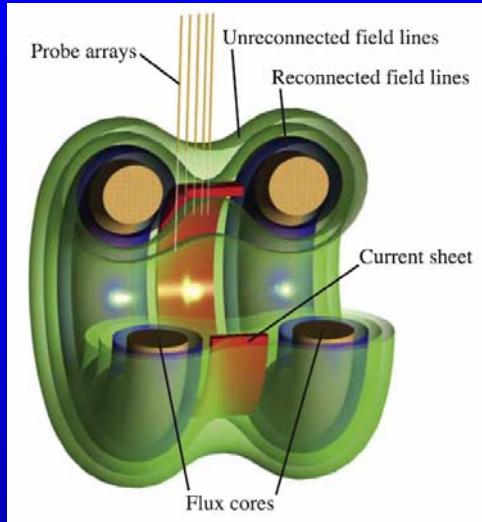


$$\delta_e \approx \frac{c}{\omega_{pe}} = \lambda_e$$

Very thin current layer!



Implication of Anomalous Effects: Lab. Experiment

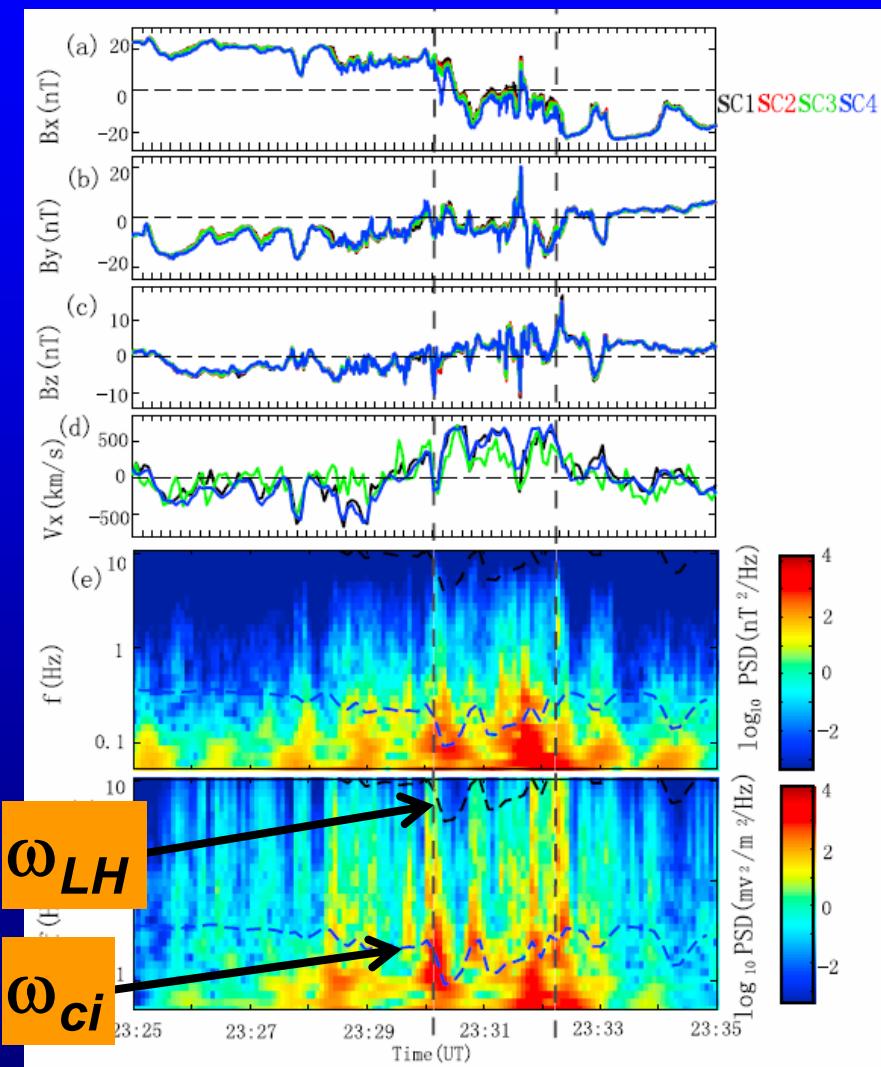
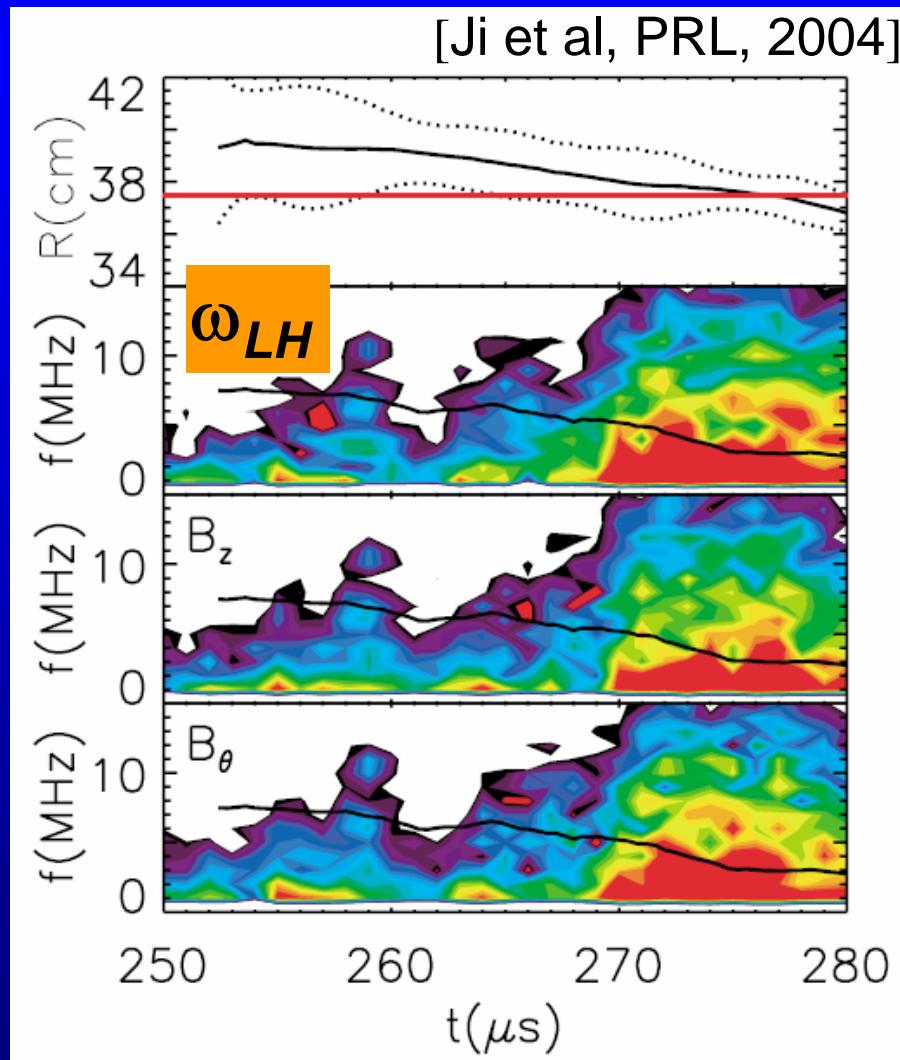


[Ji et al., GRL, 2008]

Implication of Anomalous Effects: Wave Activities

[Zhou et al, JGR, 2009]

[Ji et al, PRL, 2004]



Implication of Anomalous Effects

X-line

$$E_{y,xline} = (\eta_{in} + \eta) j_y$$

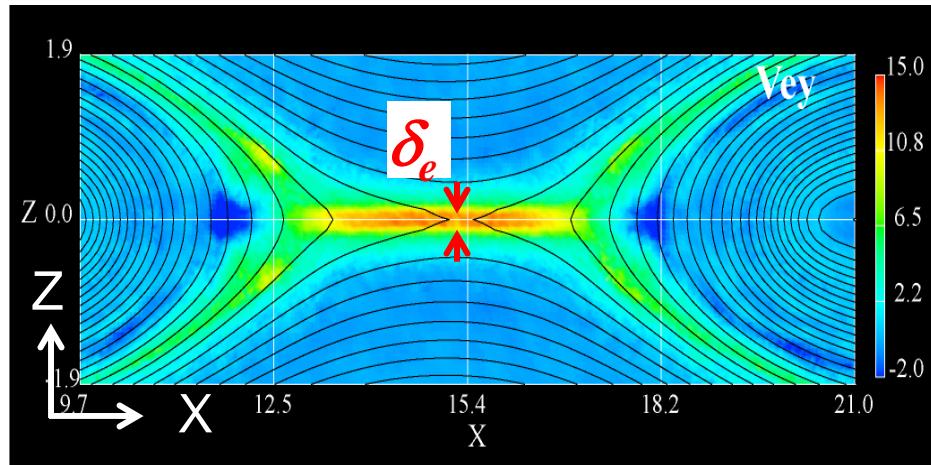
$$\eta_{in} = \frac{m_e}{n_e e^2} \frac{1}{\tau_{tr}} \approx \frac{m_e}{n_e e^2} \frac{V_{inflow}}{\delta_e}$$

$$j_y \approx -\frac{1}{\mu_0} \frac{B_{inflow}}{\delta_e}$$

Inflow region

$$E_{y,inflow} = -V_{inflow} B_{inflow}$$

$$\underline{E_{y,xline} = E_{y,inflow}}$$



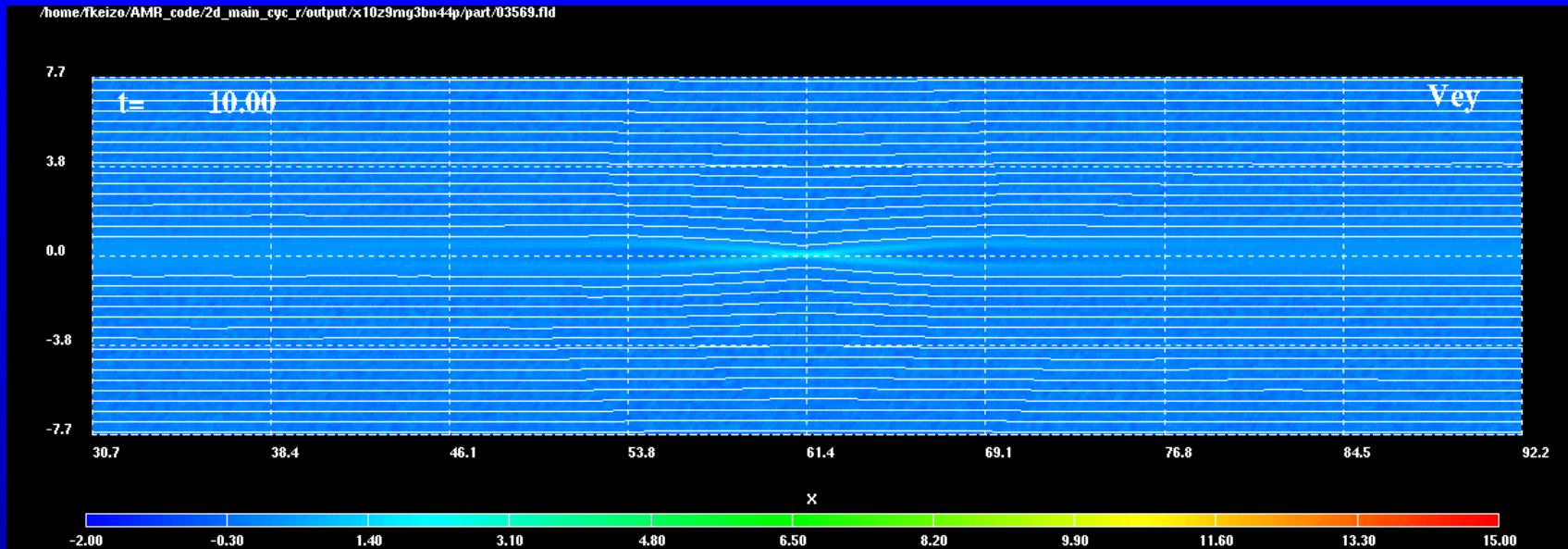
$$\delta_e \approx \frac{\lambda}{2} + \sqrt{\left(\frac{\lambda}{2}\right)^2 + \lambda_e^2} \\ > \lambda_e = c/\omega_{pe}$$

$$\lambda \equiv \eta / \mu_0 V_{inflow}$$

Dynamical Current Sheet

2D PIC simulation

[Fujimoto, PoP, 2006;
Daughton et al., PoP, 2006]



Thin current layer:

Elongation

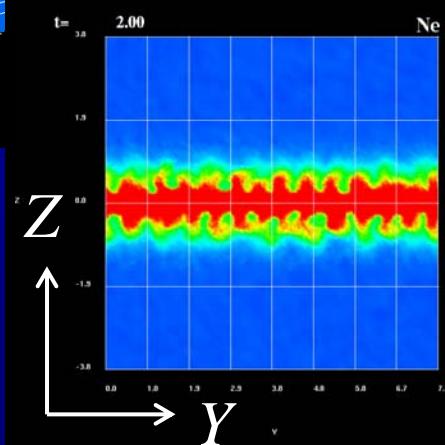
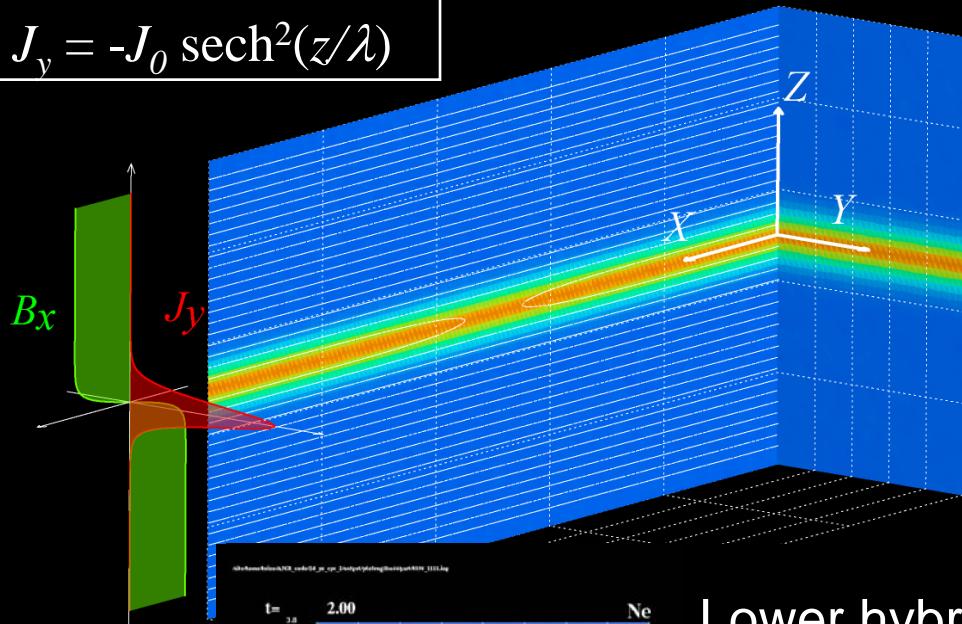


Plasmoid formation

Instabilities in the Harris Current Sheet

Tearing instability

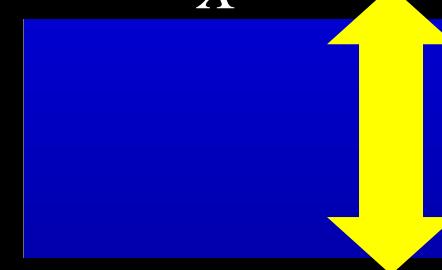
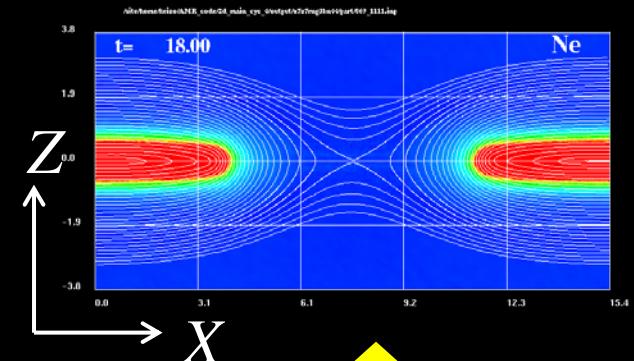
$$B_x = -B_0 \tanh(z/\lambda)$$
$$J_y = -J_0 \operatorname{sech}^2(z/\lambda)$$



Lower hybrid drift instability
(LHDI)

$$k_y r_{Le} \sim 1$$

$$\gamma \sim \omega_{lh}$$

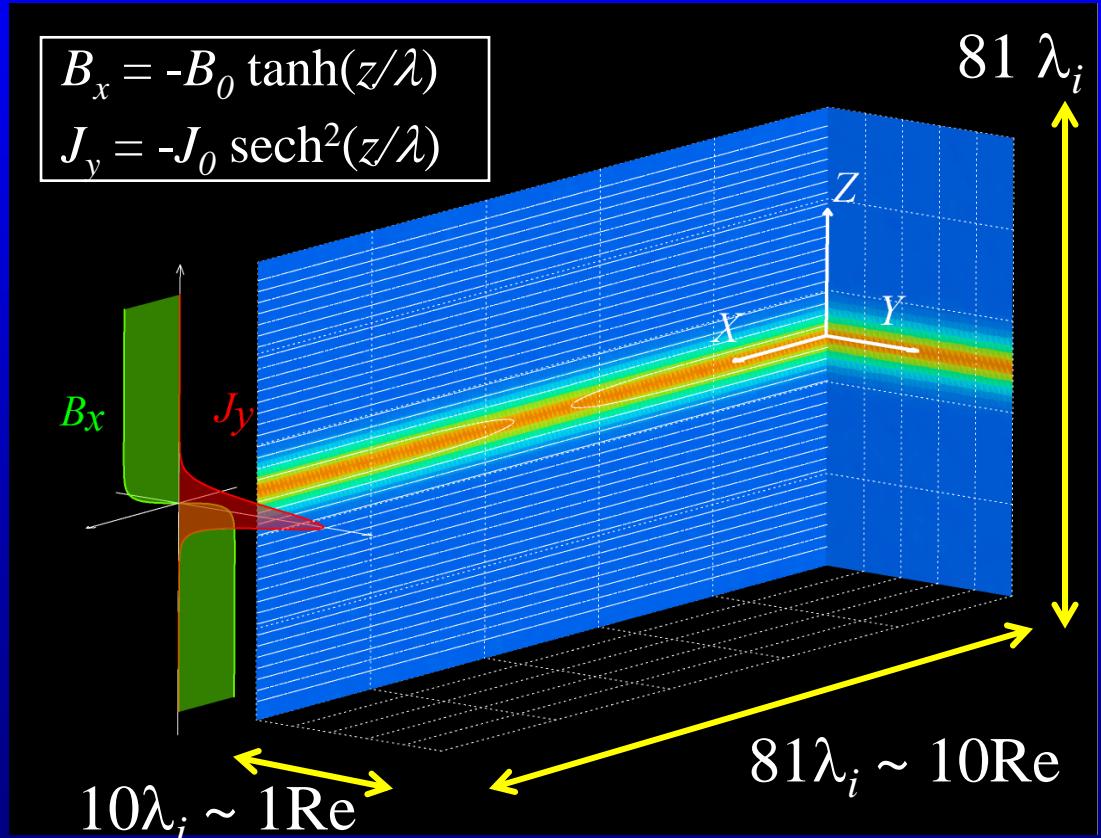


Kink-type
instability

$$k_y L \sim 1$$

Simulation Setup

AMR-PIC-3D code [Fujimoto, JCP, 2011]
on Fujitsu FX1 (1024 cores)



$$m_i/m_e = 100$$

Max resolution:
 $4096 \times 512 \times 4096 \sim 10^{10}$

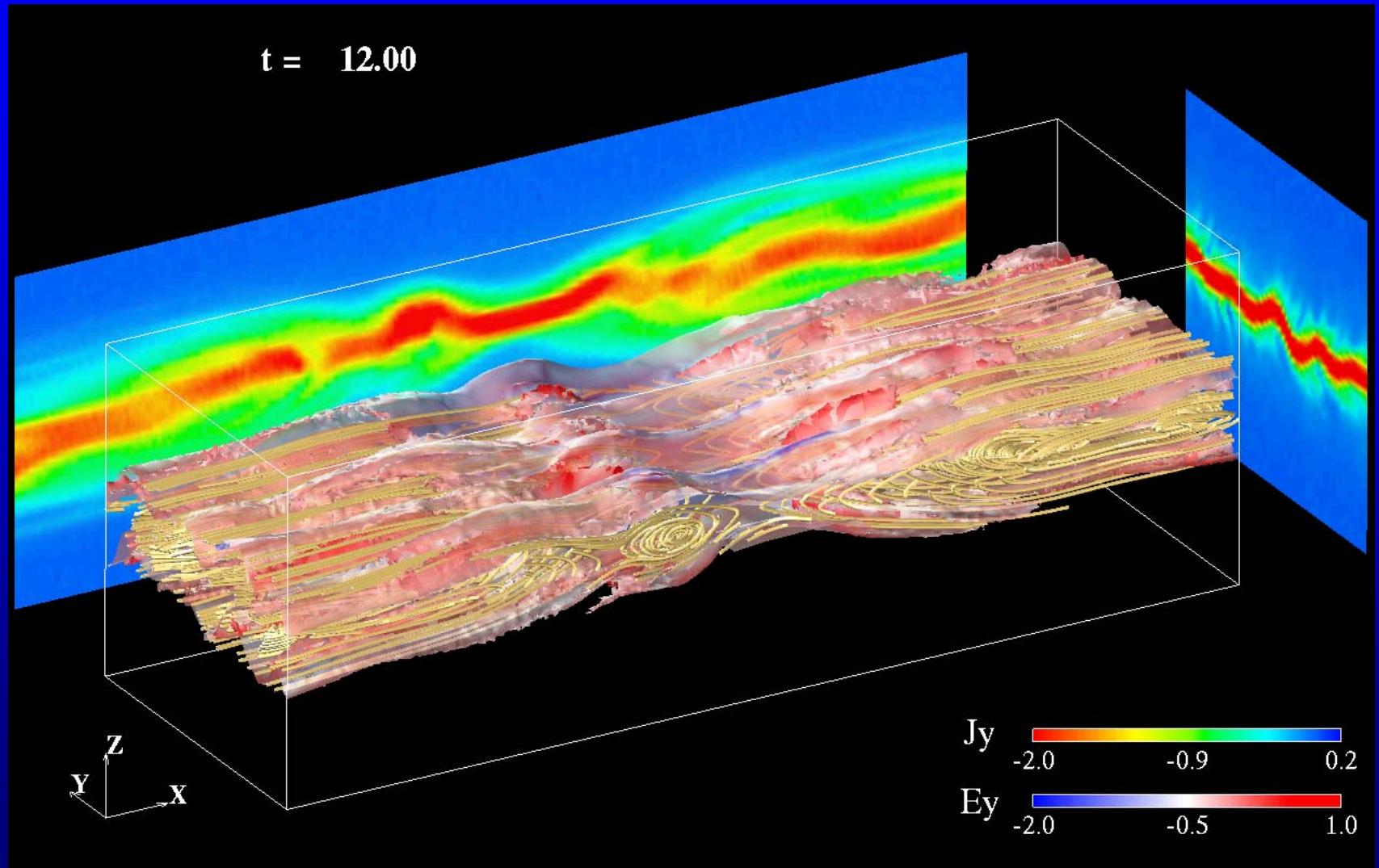
Max number of particles
Ion + Electron $\sim 10^{11}$

Max memory used $\sim 6\text{TB}$

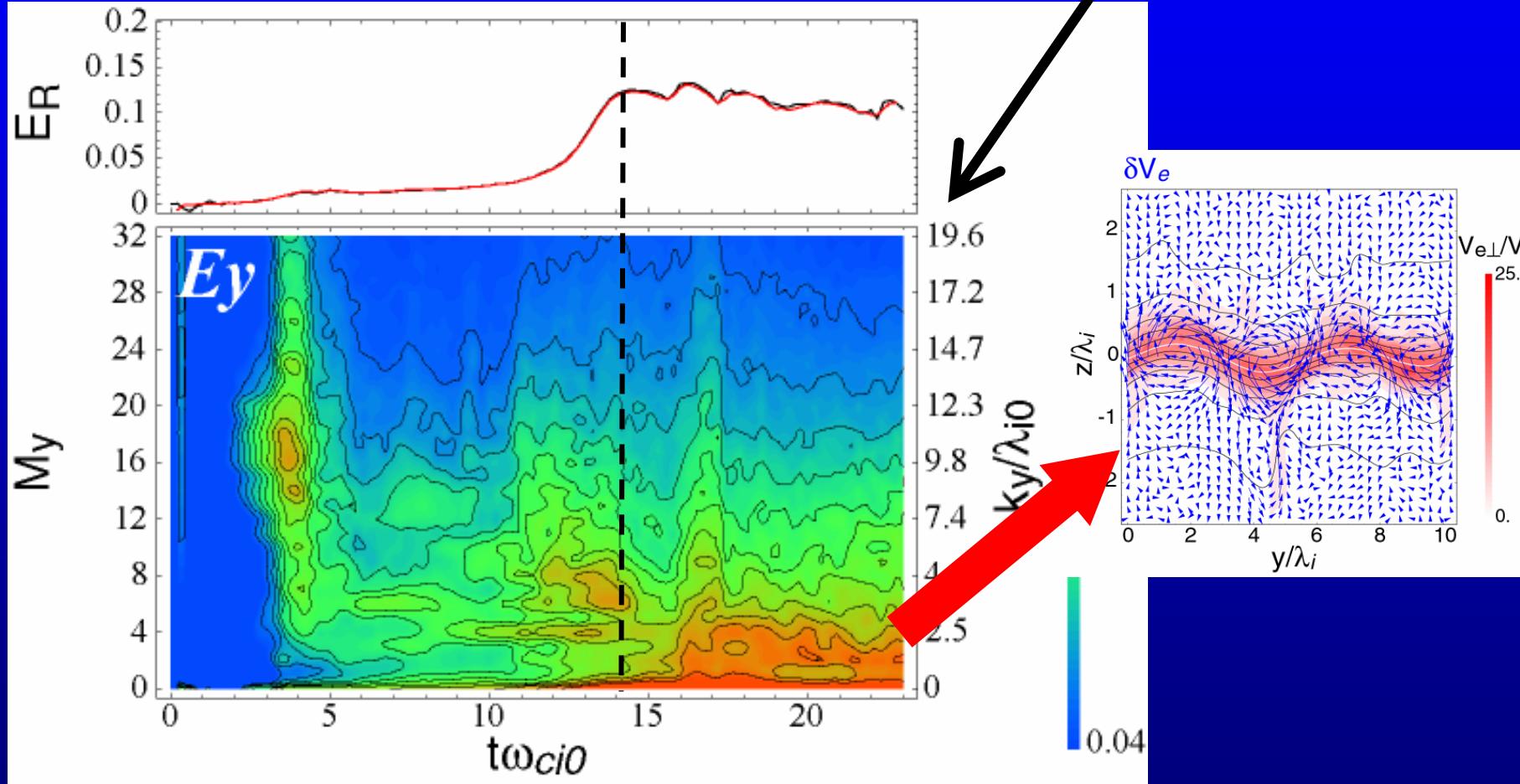
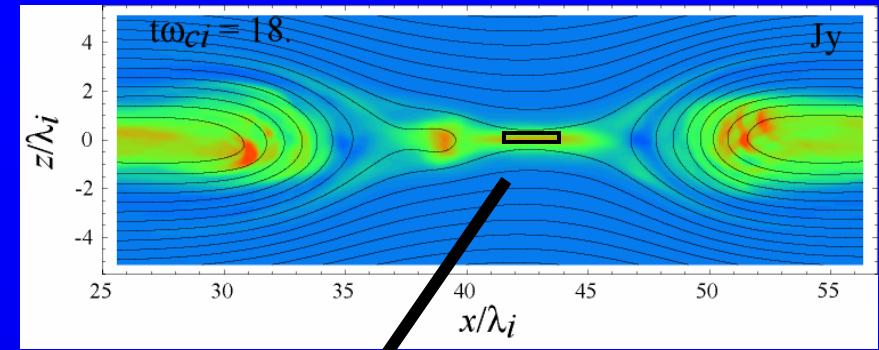
Time Evolution of the Current Sheet

Surface: $|J|$, Line: Field line

Color on the surface: E_y , Cut plane: J_y



Wave Activity

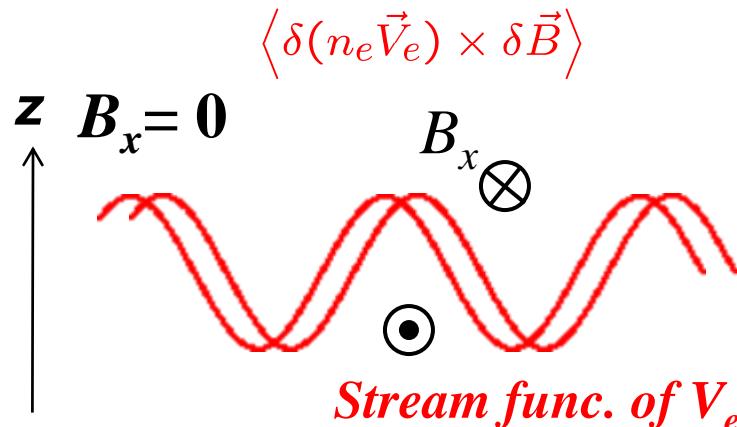


Wave-Particle Interactions

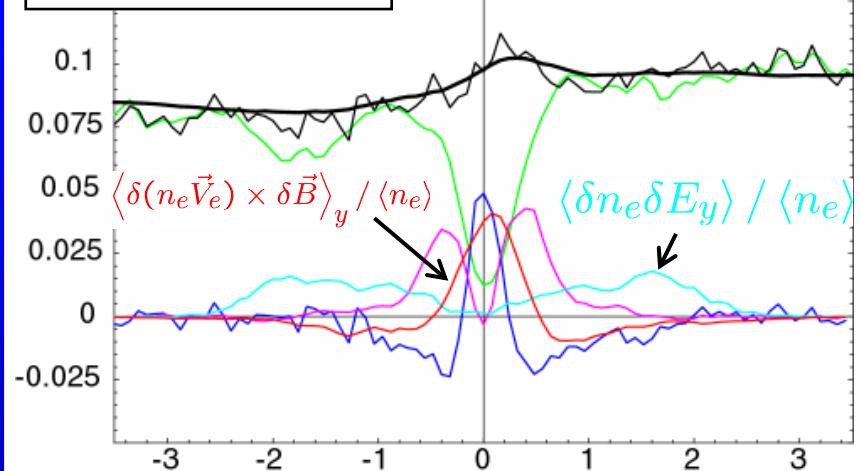
$$A = \langle A \rangle + \delta A \quad \left(\langle \cdot \rangle = \frac{1}{L_y} \int_0^{L_y} \cdot dy \right)$$

$$\begin{aligned} \langle -E_y \rangle &= \frac{1}{\langle n_e \rangle} \left(\langle n_e \vec{V}_e \rangle \times \langle \vec{B} \rangle \right)_y \\ &+ \frac{1}{e \langle n_e \rangle} \langle \nabla \cdot \vec{P}_e \rangle_y \\ &+ \frac{m_e}{e \langle n_e \rangle} \left\langle \frac{\partial V_{ey}}{\partial t} + \vec{V}_e \cdot \nabla V_{ey} \right\rangle \\ &+ \frac{1}{\langle n_e \rangle} \langle \delta n_e \delta E_y \rangle \\ &+ \frac{1}{\langle n_e \rangle} \langle \delta(n_e \vec{V}_e) \times \delta \vec{B} \rangle_y \end{aligned}$$

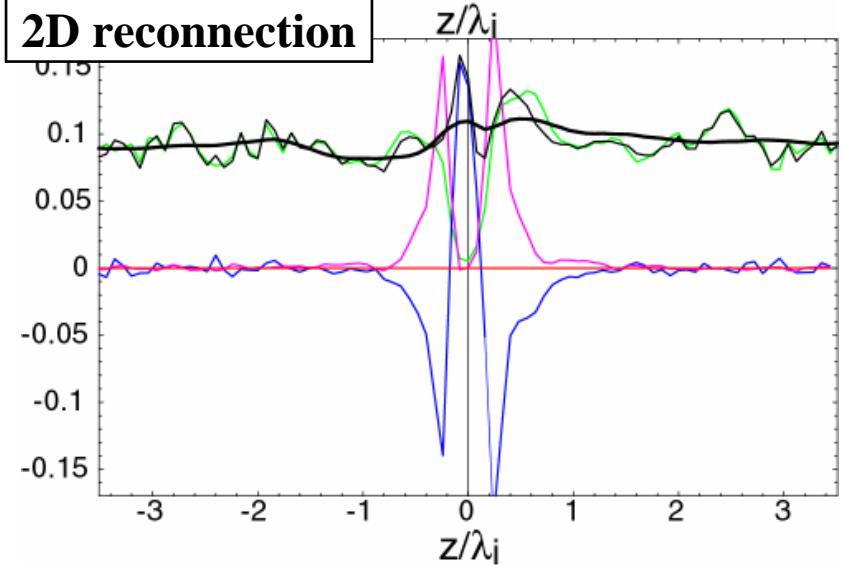
Anomalous effects



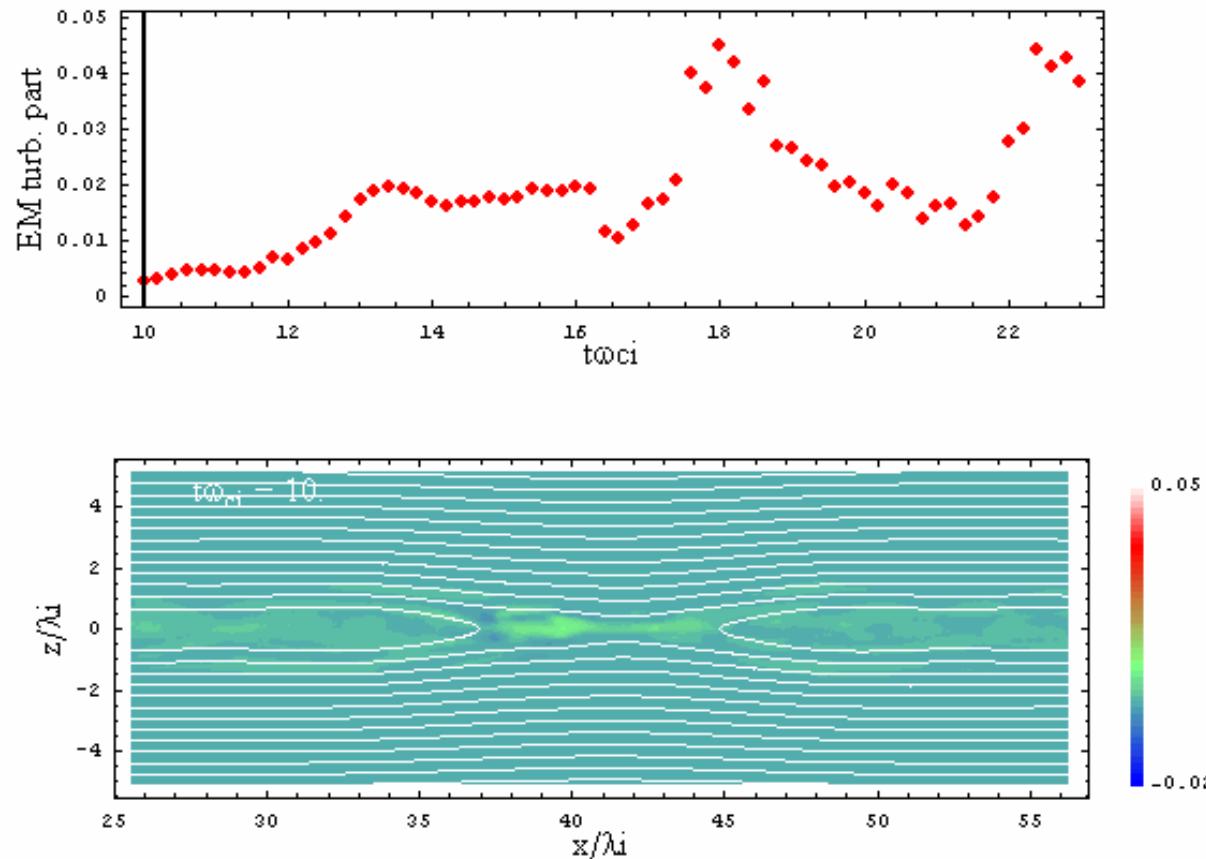
3D reconnection



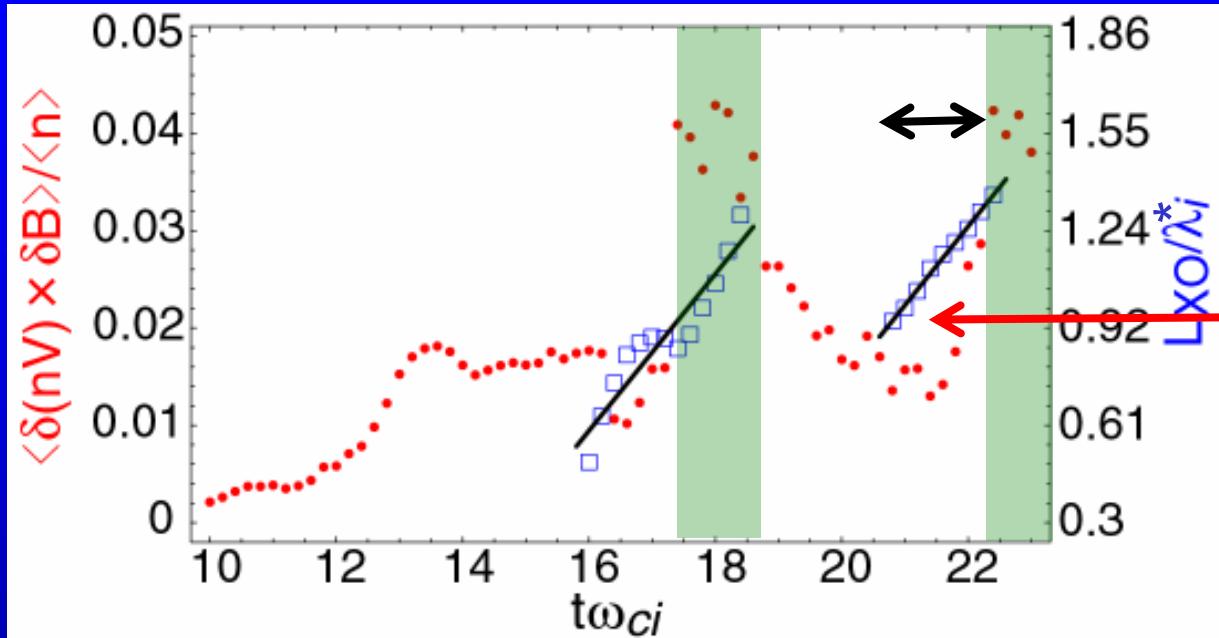
2D reconnection



Anomalous Transport at the X-line

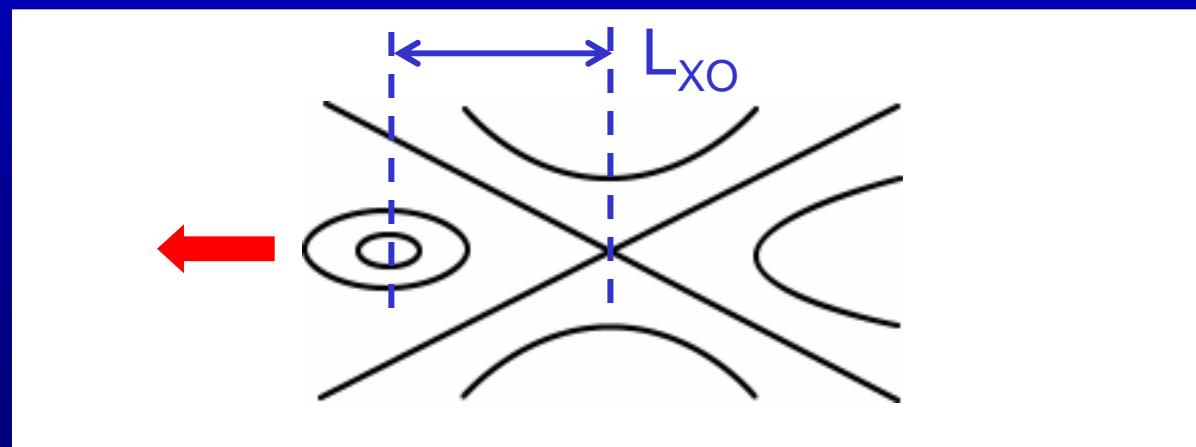


Plasmoid-Induced Turbulence



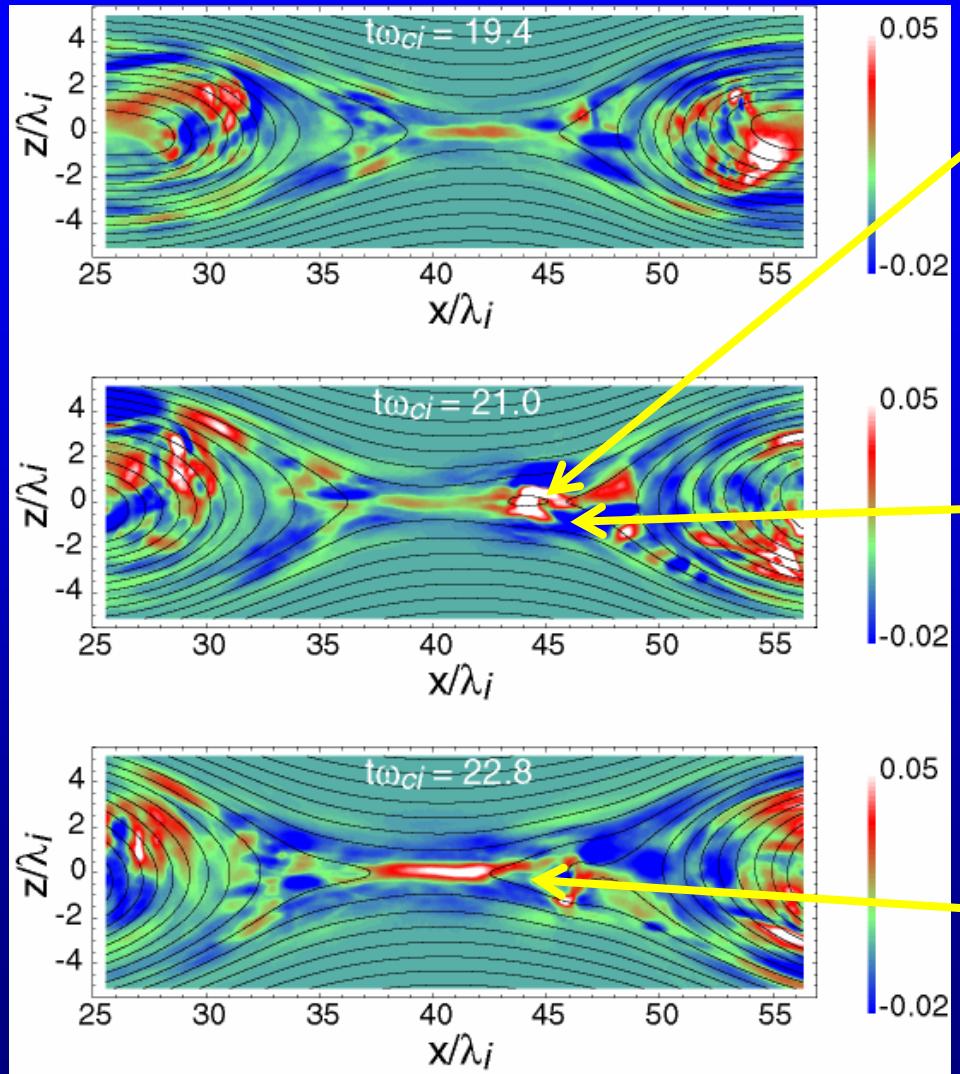
$$\Delta t = 1.6 \omega_{ci}^{-1}$$

$$L_{XO} = 0.95 \lambda_i^*$$



Information propagates at
 $V_p \sim V_A^*$
($B^* = 0.5B_0$)

Plasmoid-Induced Turbulence



Plasmoid formation

Wave amplification

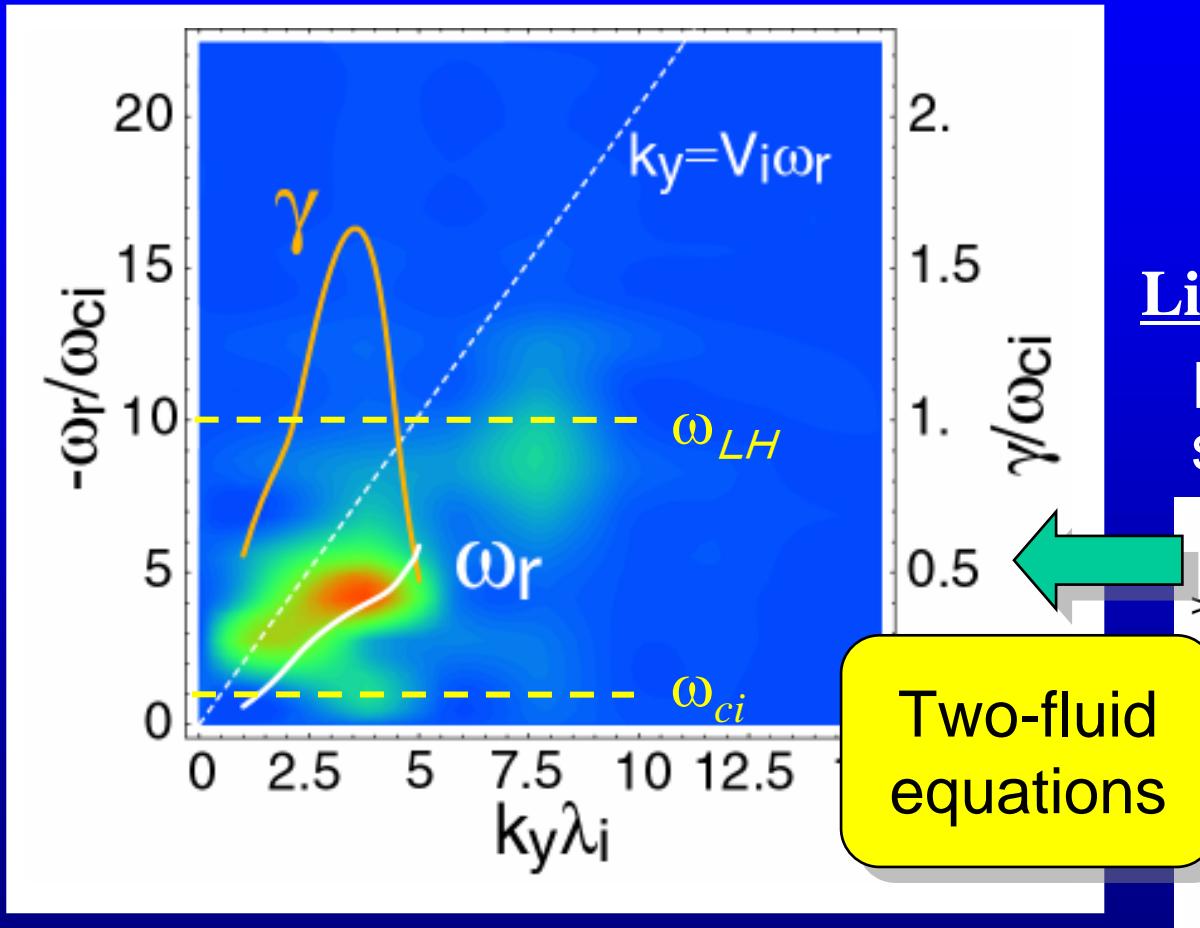
Local turbulence enhancement

Propagation along the field line

Intensified turbulence at the x-line

Wave Properties

$$\omega = \omega_r + i\gamma$$



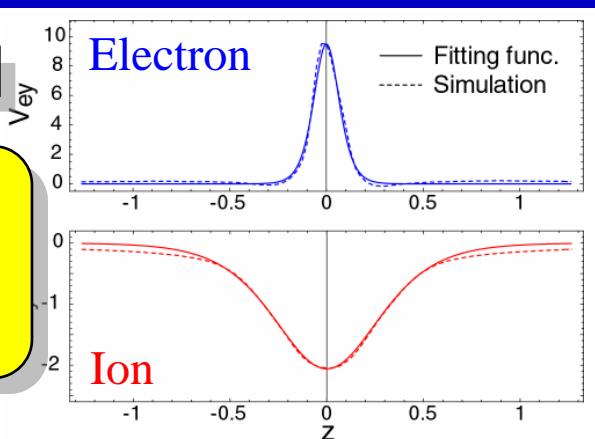
Simulation results

$$\omega_{ci} < |\omega_r| < \omega_{LH}$$

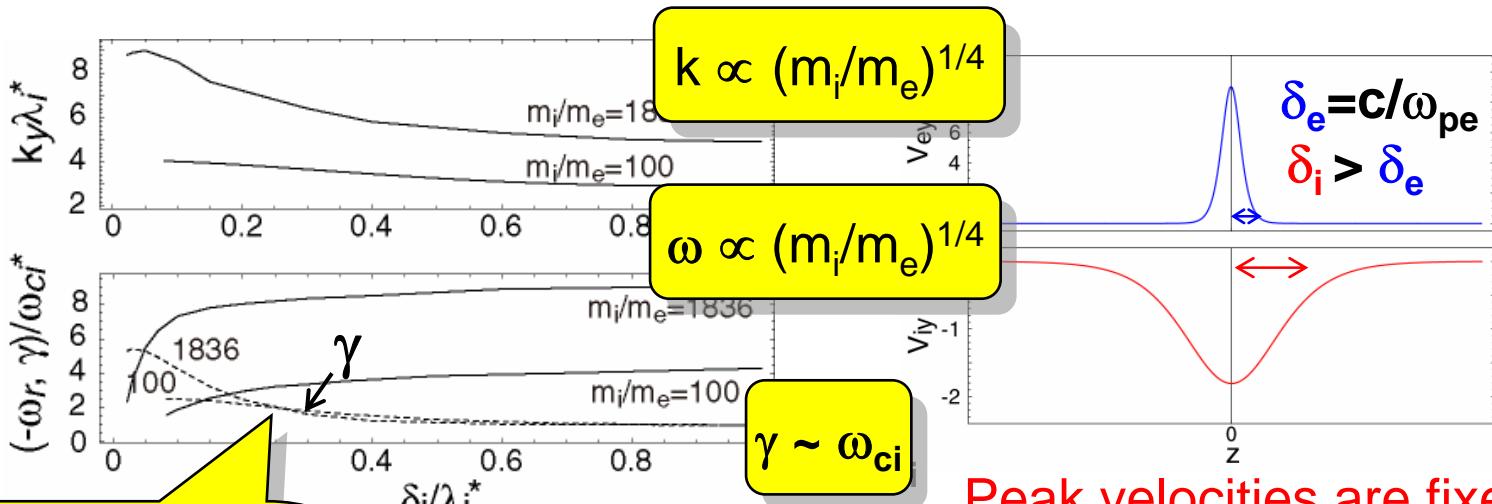
$$V_{ph} \approx V_A$$

Linear analyses

Profiles taken from simulation



Wave Properties: Linear Analyses

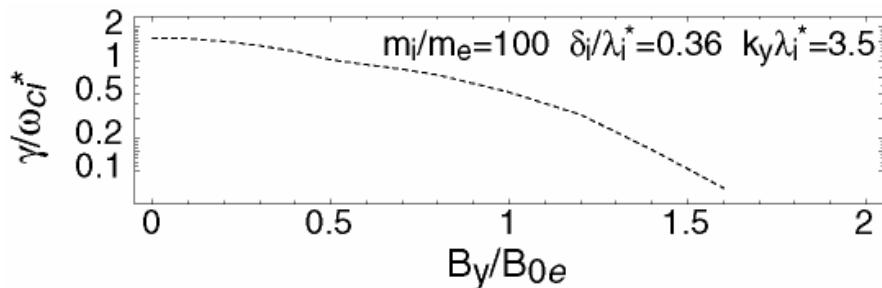


Shear driven mode rather than the drift mode

$$\gamma \propto \partial V_d / \partial z$$

Peak velocities are fixed.

The wave survives even for $m_i/m_e = 1836$.



Dependence on the guide field (B_y)

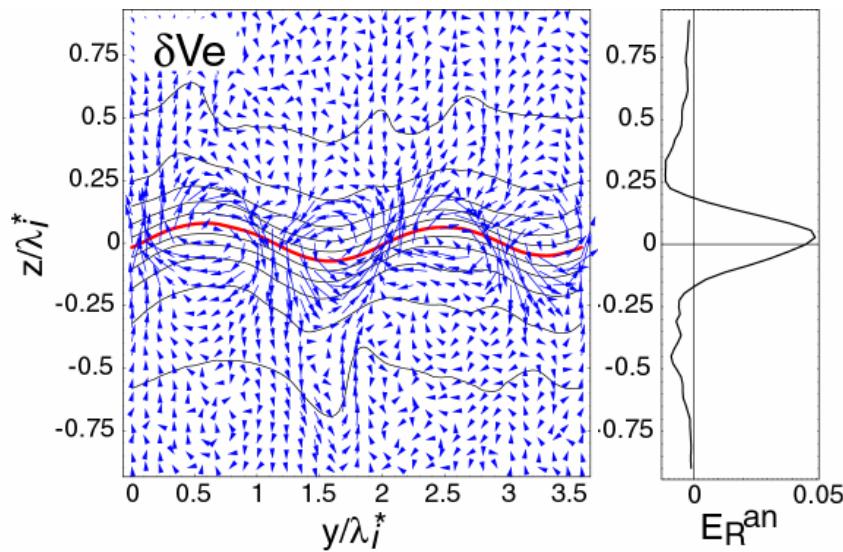
運動量の異常輸送

[Fujimoto & Sydora, in prep.]

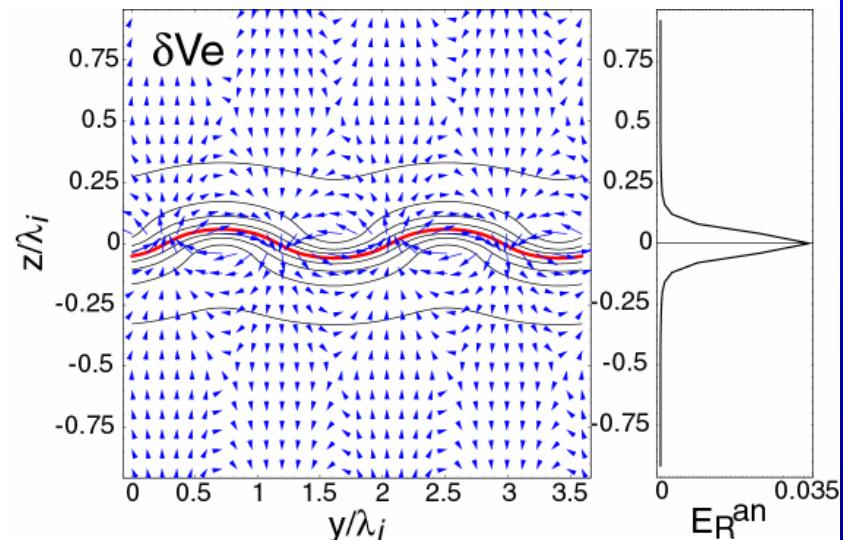
電磁波動による電子運動量の異常輸送

$$E_R^{an} = \frac{1}{\langle n_e \rangle} \left\langle \delta(n_e \vec{V}_e) \times \delta \vec{B} \right\rangle_y \quad \left(\langle \cdot \rangle = \frac{1}{L_y} \int_0^{L_y} \cdot dy \right)$$

シミュレーション



線形理論



Summary

大規模な3次元粒子シミュレーションを実施して、高速磁気リコネクション時における磁気拡散機構を調べた。

プラズモイドによって誘発される電磁的乱流が磁気拡散過程において重要な役割を果たすことがわかった。

線形波動解析を実施することによって、乱流を引き起こす電磁波動の特性を調べた。

- $\omega_{ci} < \omega_r < \omega_{LH}$
- シアード駆動型不安定性
- $m_i/m_e=1836$ でも大きな成長率

[Fujimoto & Sydora, PRL, 2012]

