

Numerical simulation of filamentary molecular cloud in magnetic field

(磁場に貫かれた
フィラメント状分子雲の
安定性)

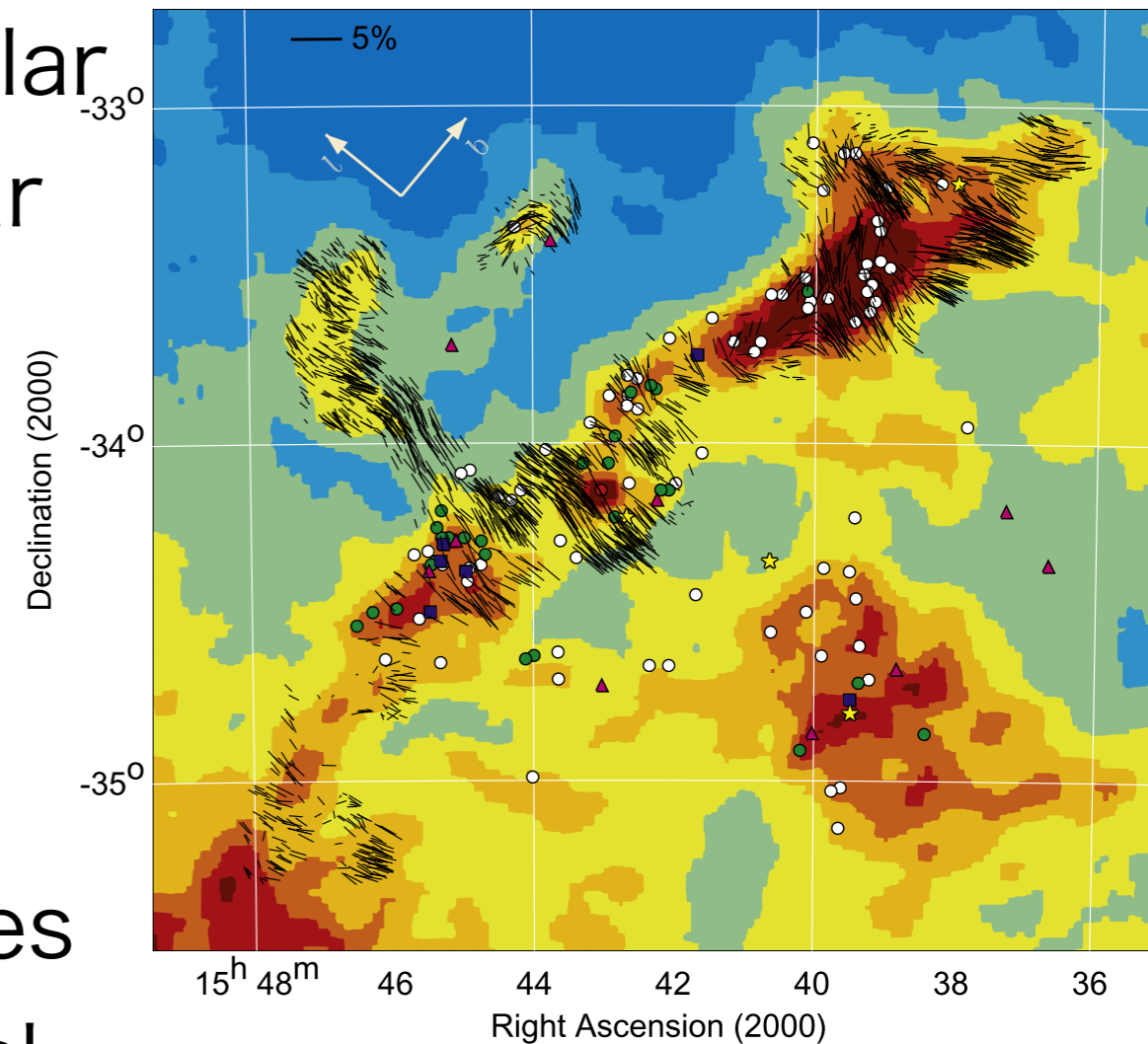
工藤哲洋 (長崎大)

花輪知幸 (千葉大)

富阪幸治 (国立天文台)

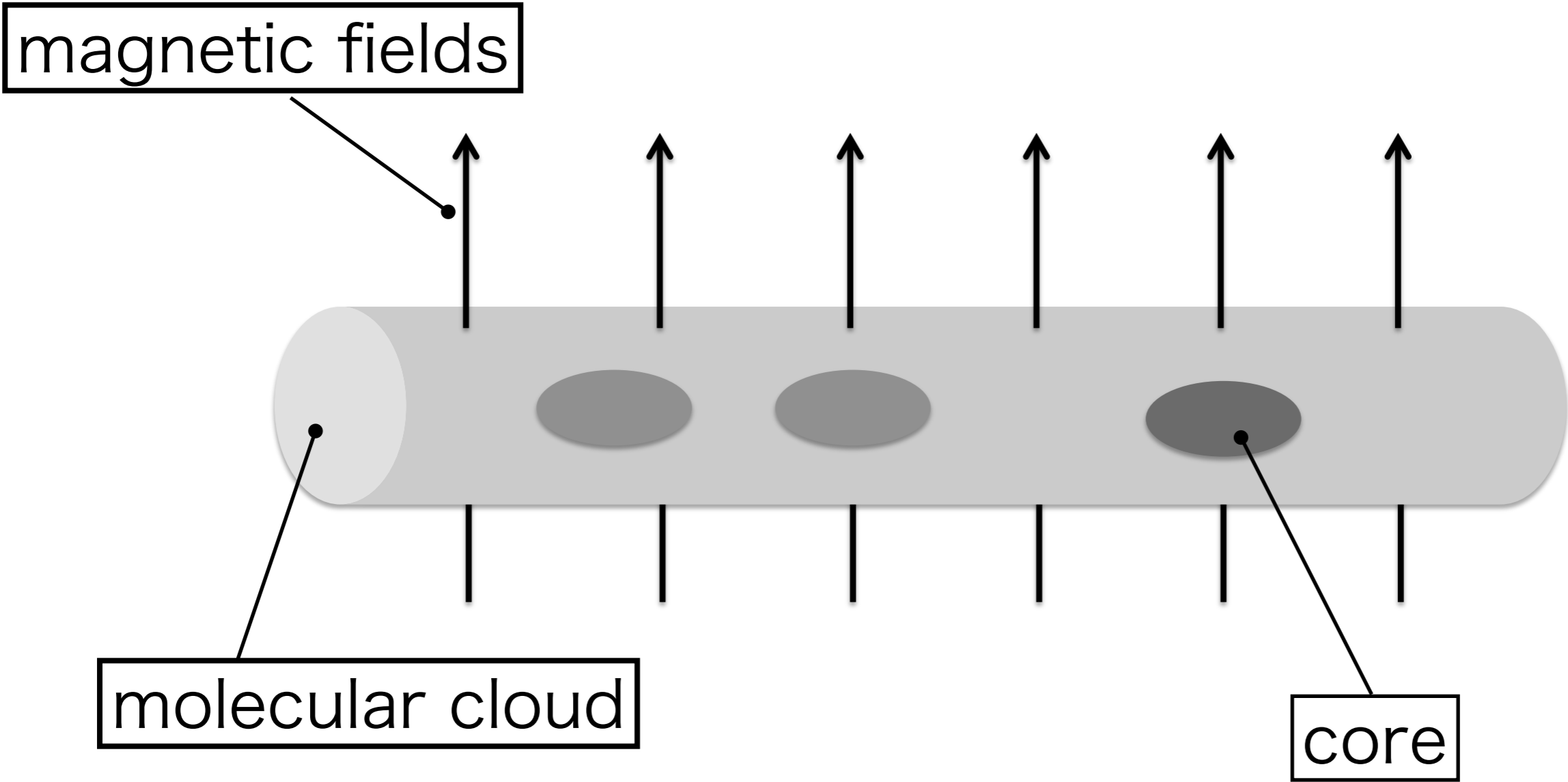
Introduction

- Many molecular clouds show filamentary structures. Interstellar magnetic field are perpendicular to the filamentary axis.
- However, the stability of these clouds are not well known.
- We study the nonlinear stabilities of the clouds by MHD numerical simulation.



black line:
direction of magnetic field

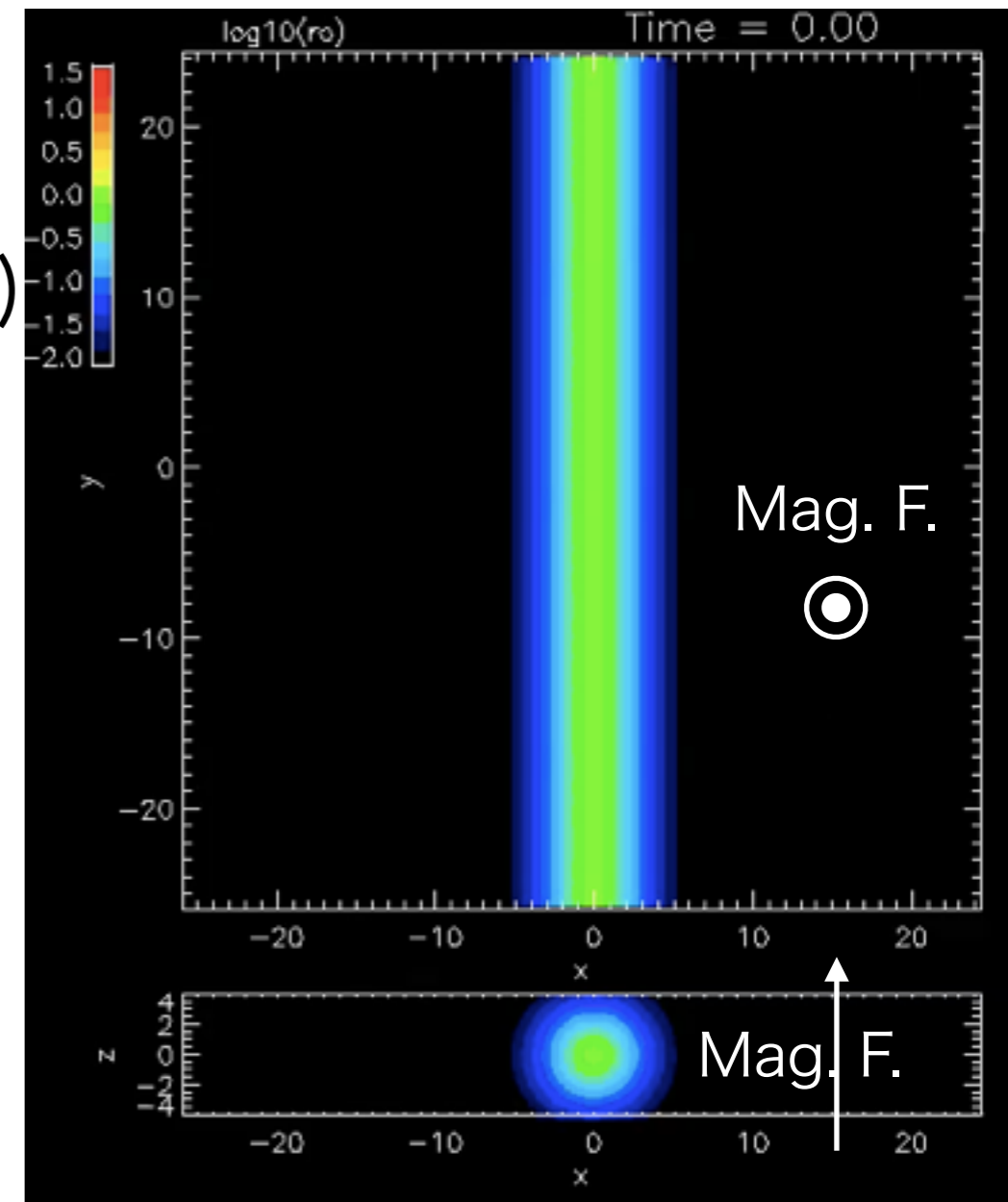
Schematic picture of the filamentary molecular cloud



Method

- The initial filamentary cloud is dynamically equilibrium (Stodolkiewicz 1963, Ostriker 1964)
- Magnetic fields are uniform and perpendicular to the filamentary axis.
- Input random noise.
- Ideal MHD, self-gravity, isothermal.

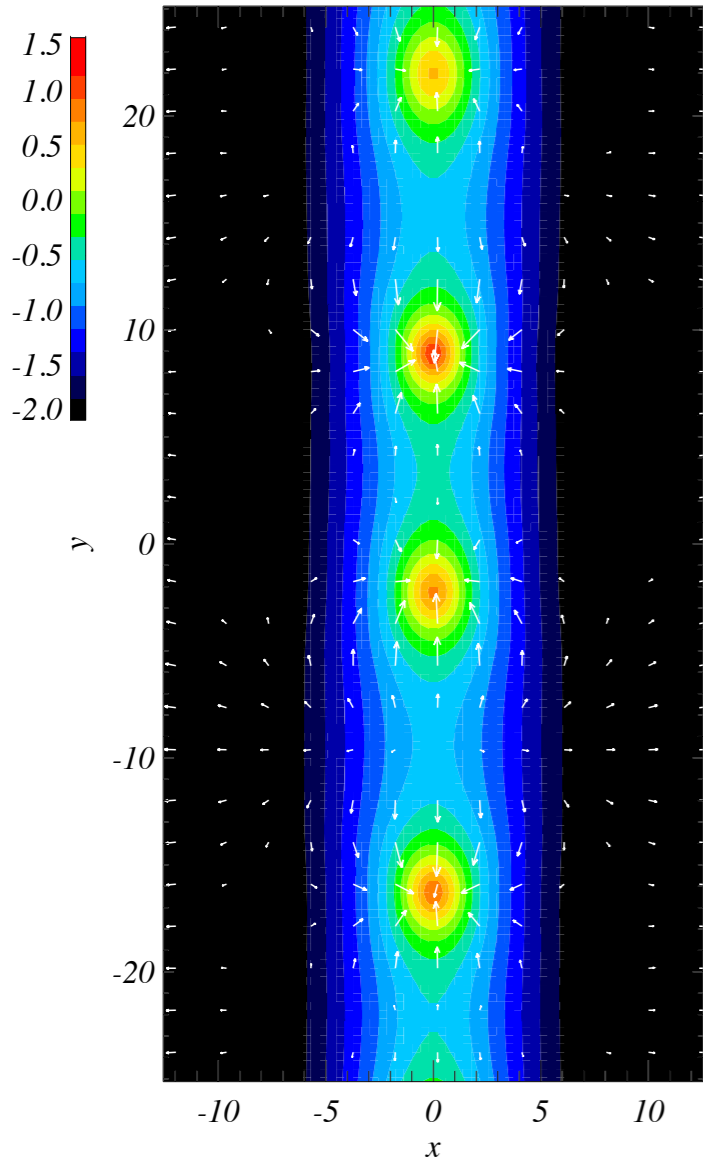
initial setup



Results

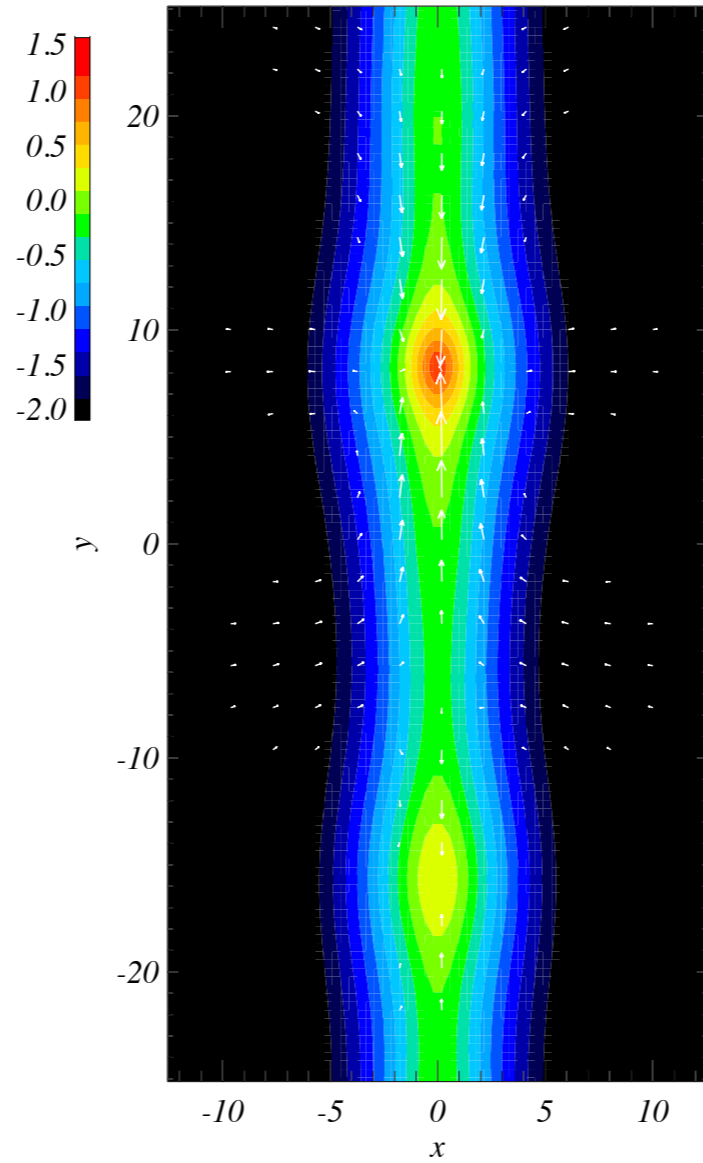
no mag. F

Time = 22.7 $\rightarrow = 1.00$



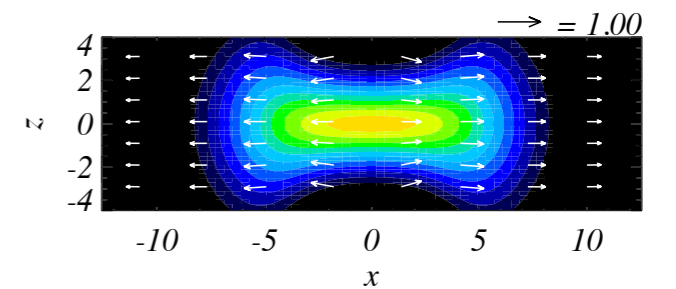
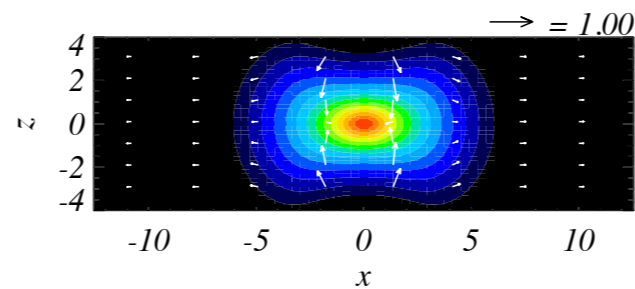
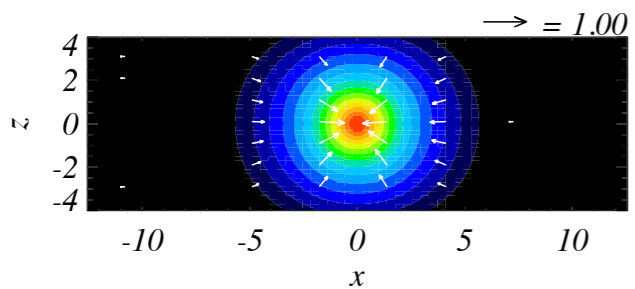
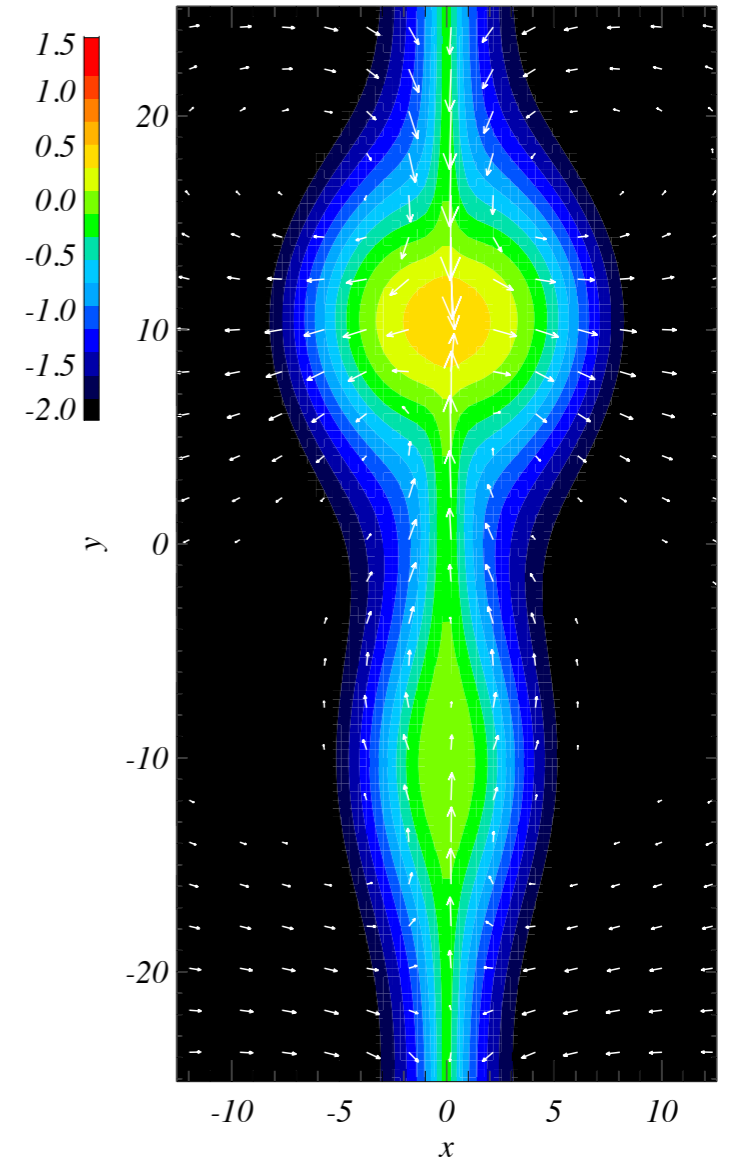
weak mag. F

Time = 35.7 $\rightarrow = 1.00$

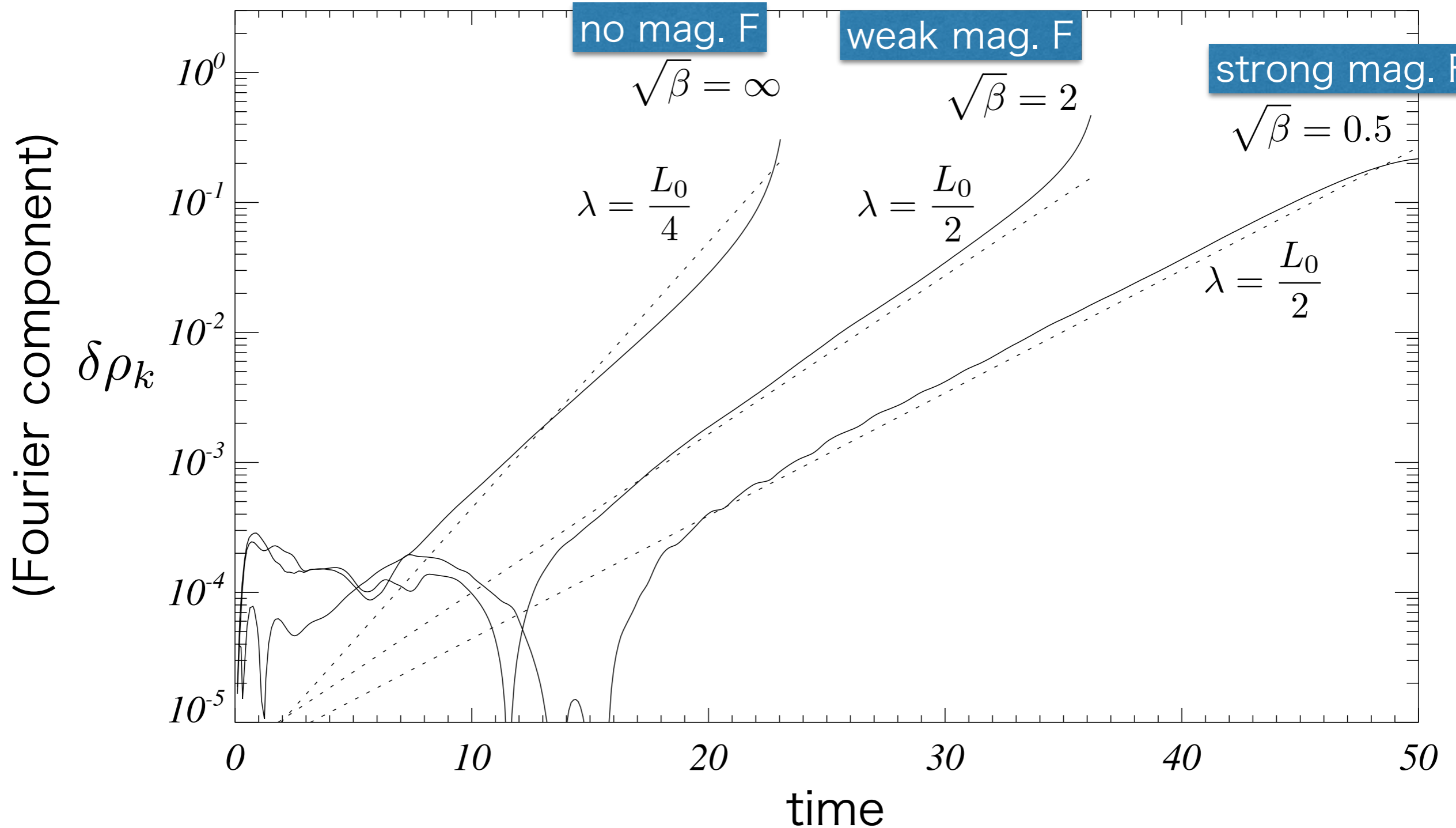


strong mag. F

Time = 50.0 $\rightarrow = 1.00$



Comparison to linear analysis (Hanawa)



solid lines: numerical simulations
dashed lines: linear analysis

Results : Nonlinear evolution

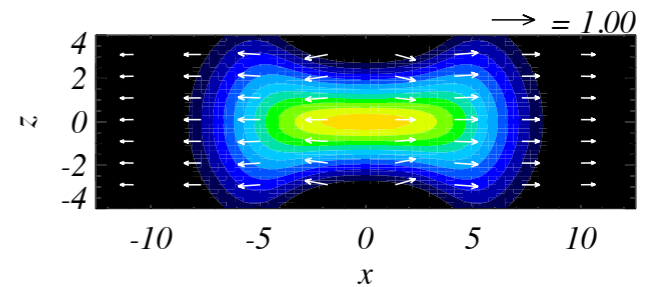
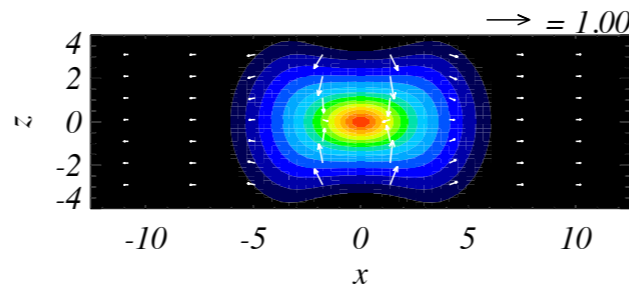
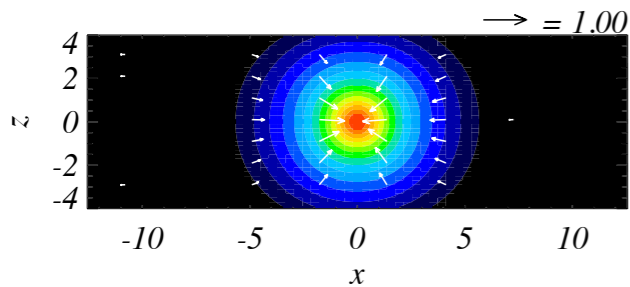
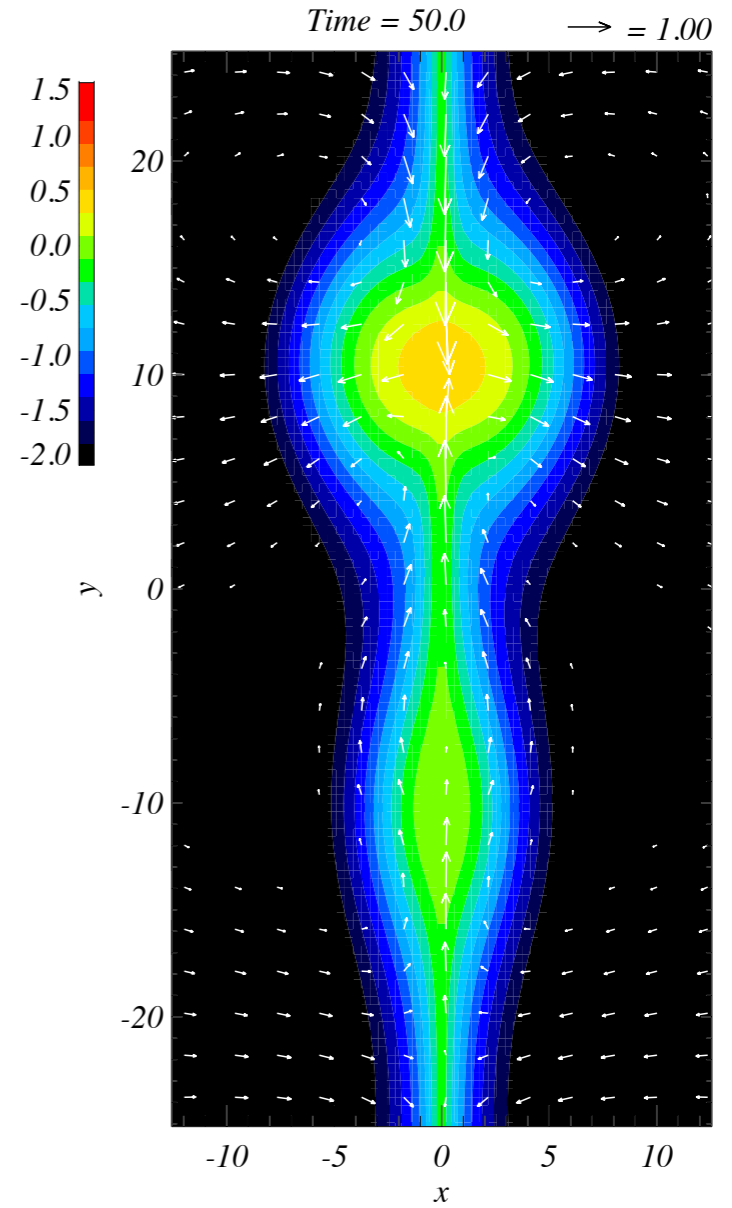
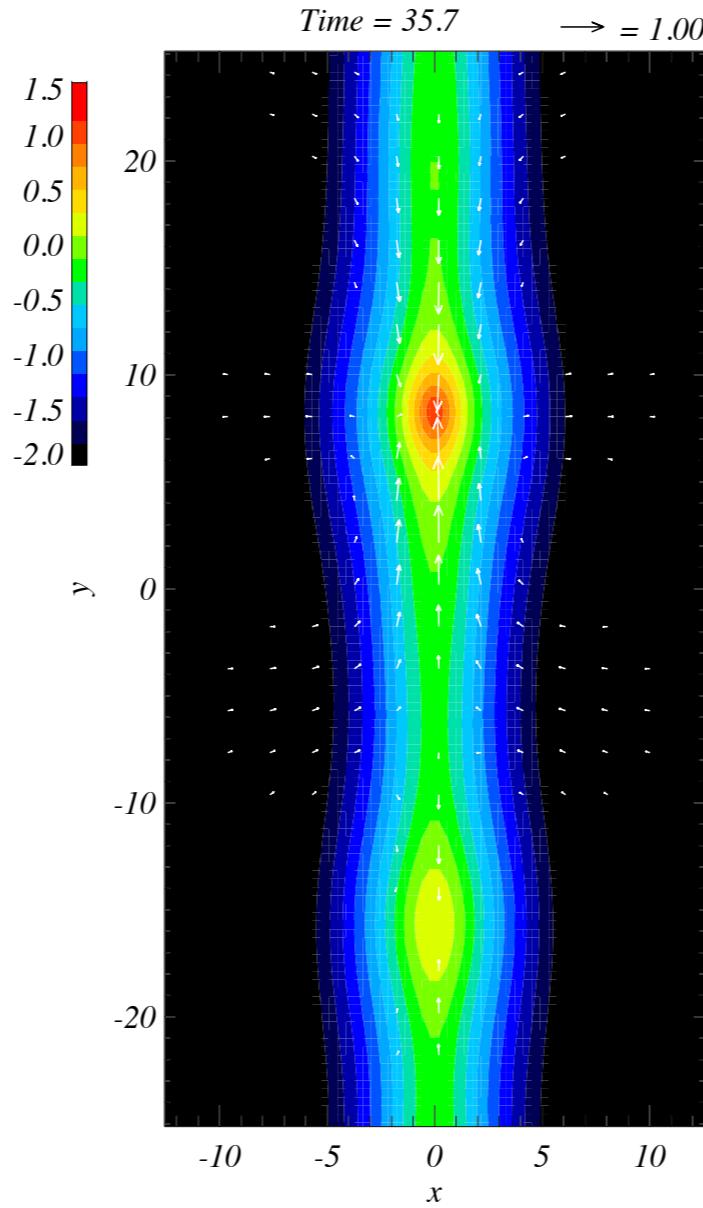
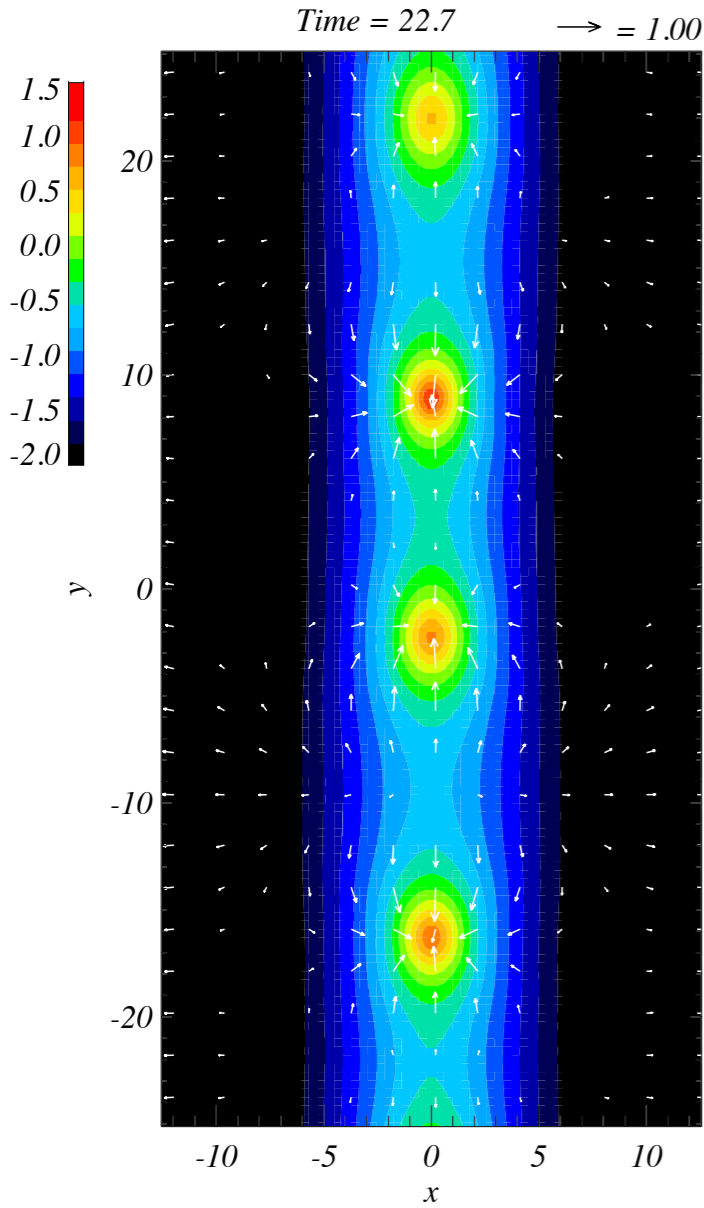
runaway collapse

no runaway collapse

no mag. F

weak mag. F

strong mag. F

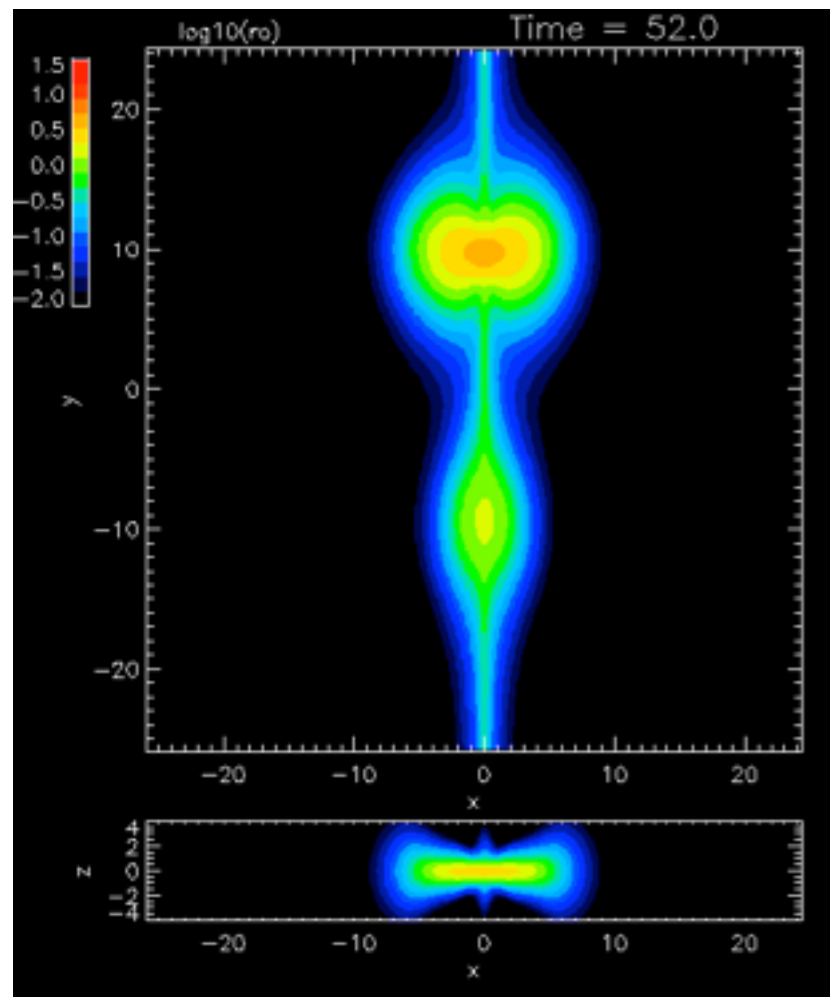


strong magnetic field

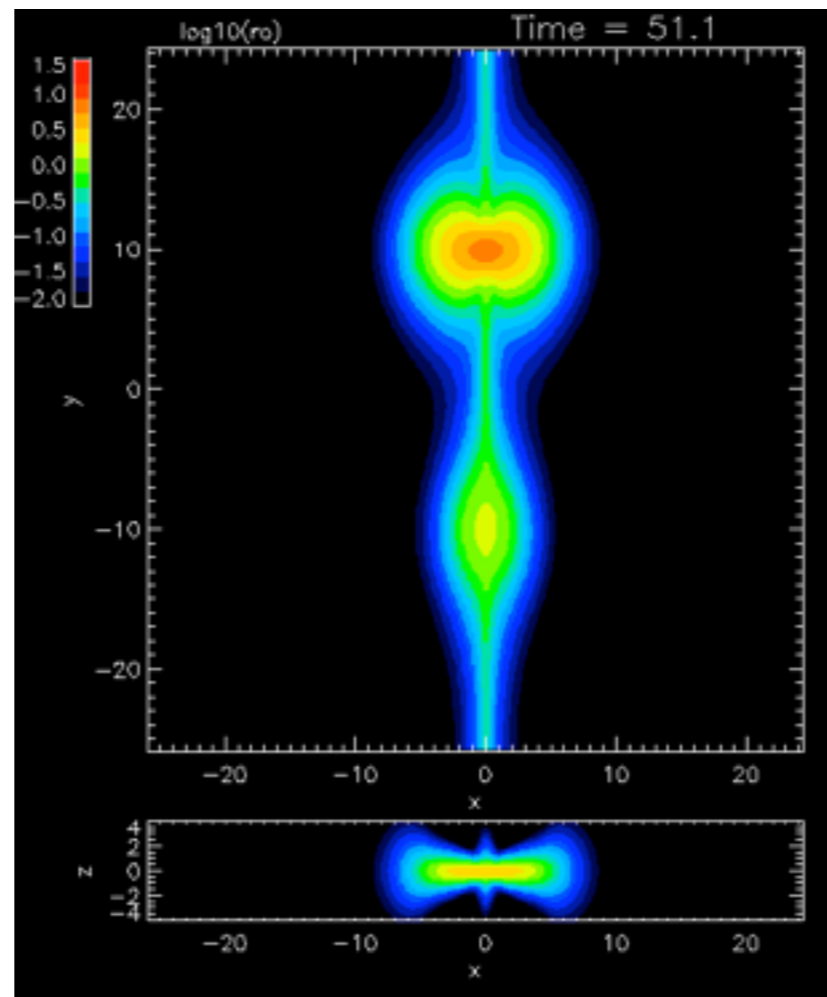


initial plasma β on the axis.

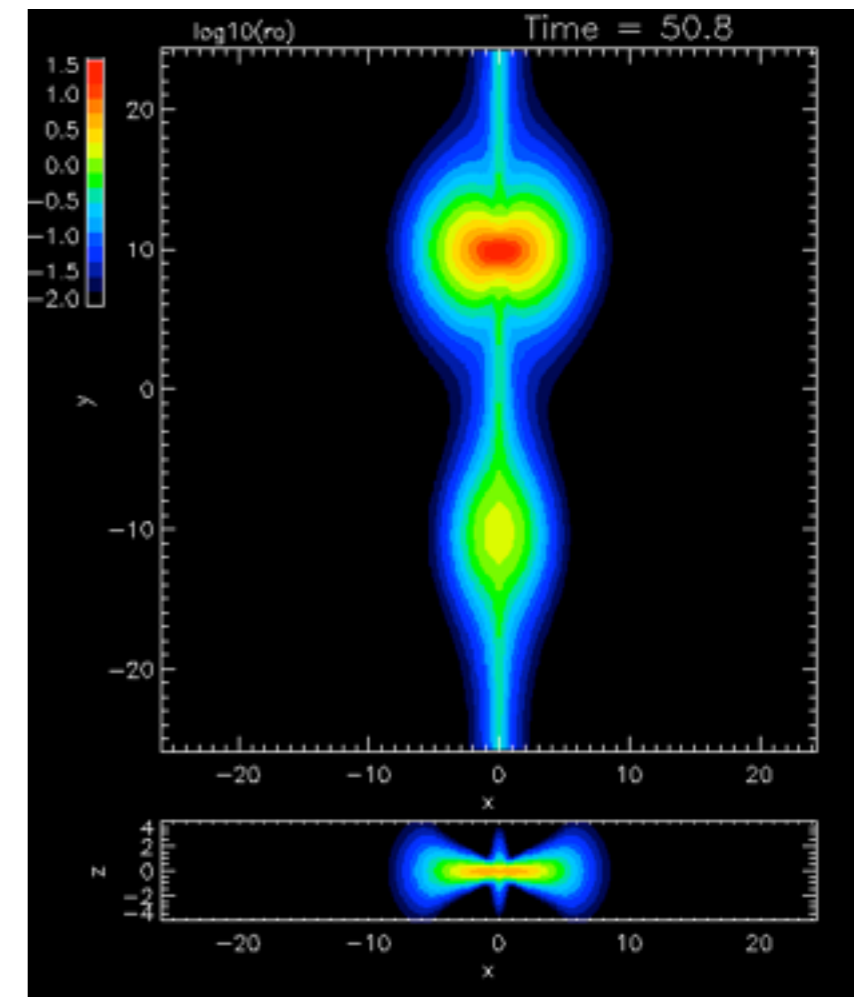
$$\beta = 0.36$$



$$\beta = 0.49$$



$$\beta = 0.64$$



no runaway collapse

runaway collapse

Theoretical estimation

$$B_{\text{cr}} \equiv 2\pi\sqrt{G}\Sigma(0)$$

in the case of filaments,

$$\rho(x, y) = \rho_0 \left(1 + \frac{x^2 + z^2}{8\pi H^2} \right)^{-2} \quad \left(H = \frac{c_s}{\sqrt{4\pi G\rho_0}} \right)$$

$$\Sigma(0) = \sqrt{2}\pi\rho_0 H$$

therefore,

$$B_{\text{cr}} = 2\sqrt{2}\pi^2\rho_0\sqrt{G}H$$

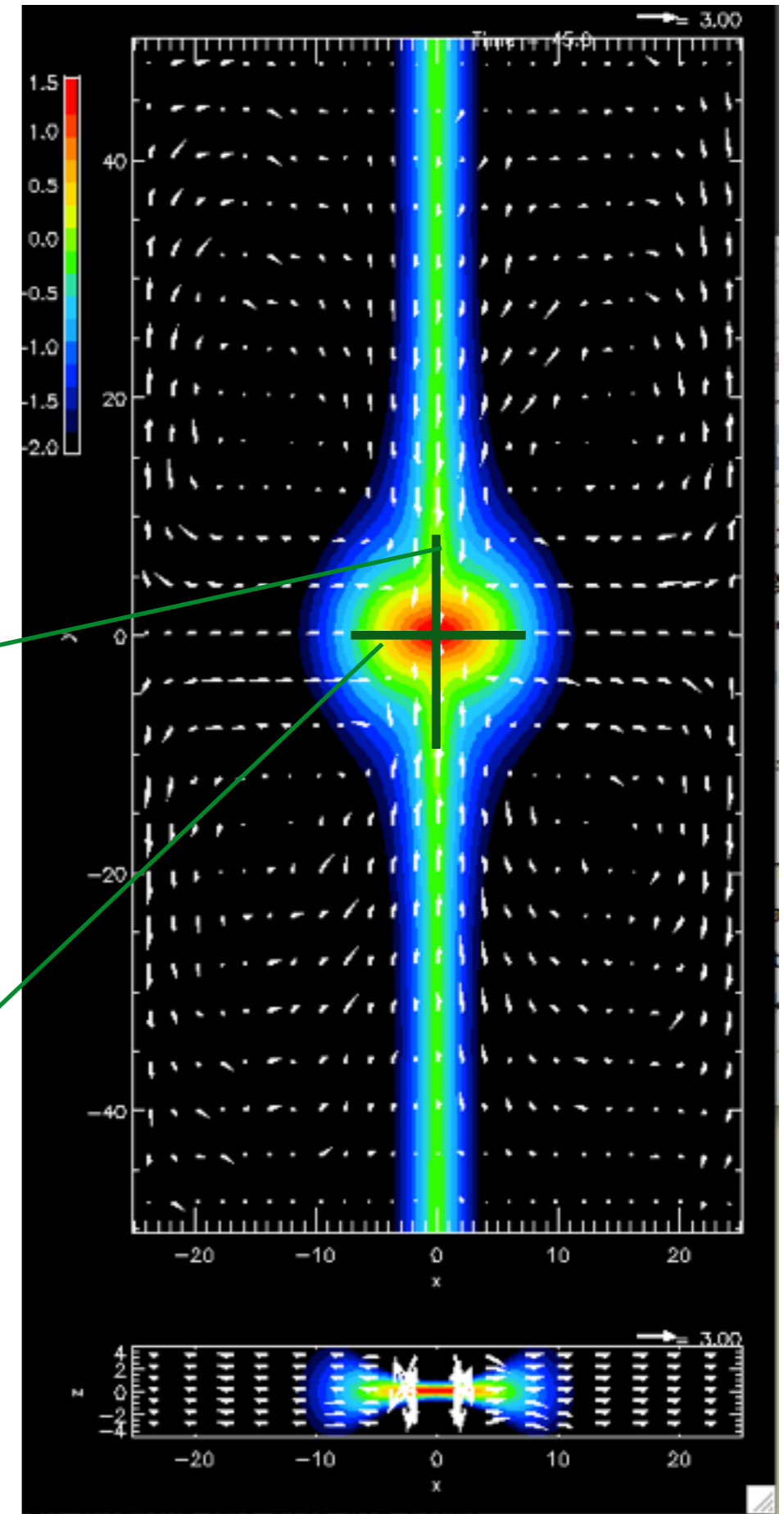
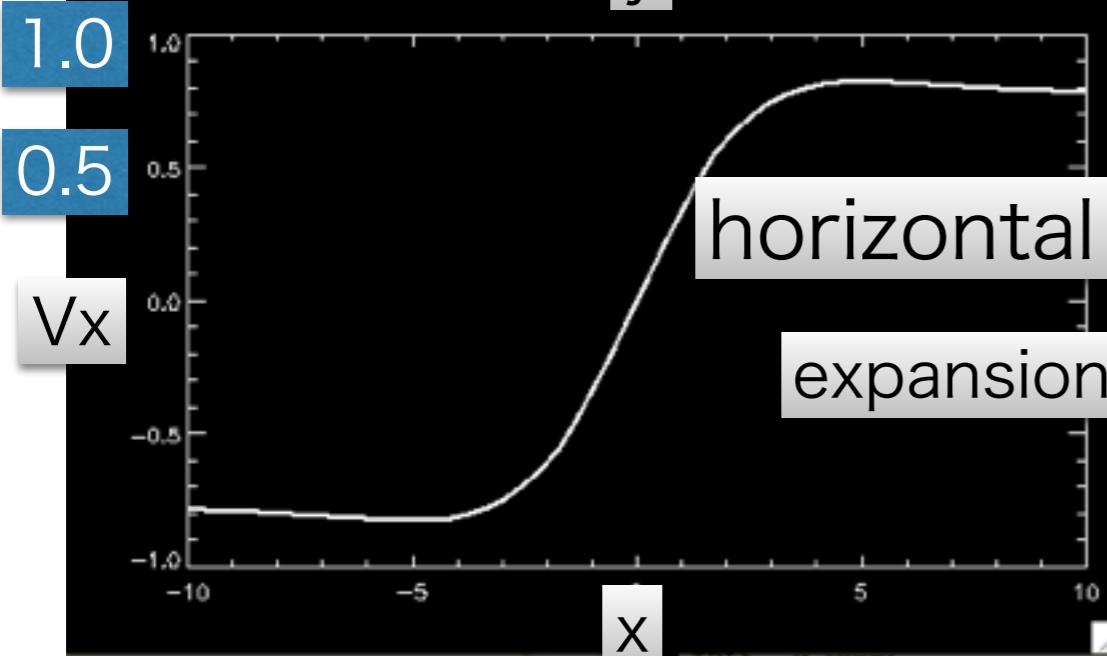
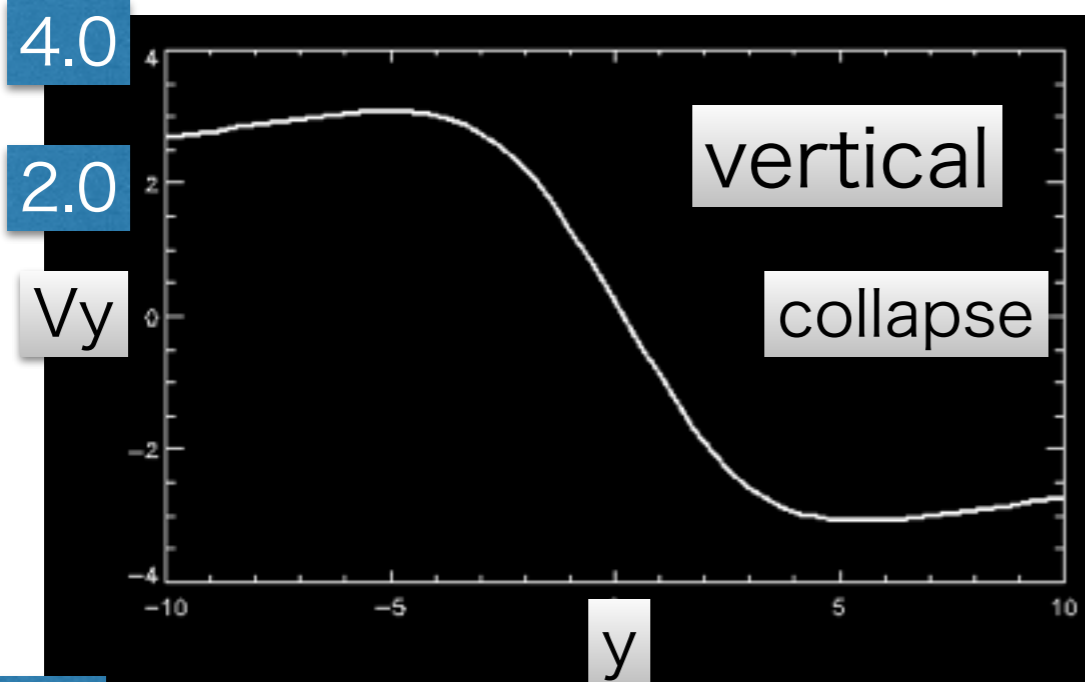
$$\rightarrow \beta_{\text{cr}} = \frac{8\pi\rho_0 c_s^2}{B_{\text{cr}}} = \frac{4}{\pi^2} \simeq 0.405$$

$$\beta = 0.49$$

sinusoidal long wave perturb.

runaway collapse near critical

Velocity



Summary

- Magnetic fields do not stabilize the self-gravitational instability of filamentary molecular clouds.
- When the magnetic field is not strong, the core shows runaway collapse. When the magnetic field is strong enough, the starless core is formed.
- Near the critical magnetic field, the core collapses along the filamentary axis but expands to the perpendicular direction.